

# Electronics for Pedestrians

– Semiconductors & ICs –  
Ralph J. Steinhagen, CERN



*“In theory, 'theory' and 'praxis' are the same, in praxis they aren't”*

# Introduction

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- Discussed passive components
- Now – semiconductor
  - Photodetectors, Diode, BJT, OpAmps, FETs
  - Noise
- Can cover only most basic concepts and high-light some of the interesting effects, common uses and pitfalls

# How do Semiconductor work?

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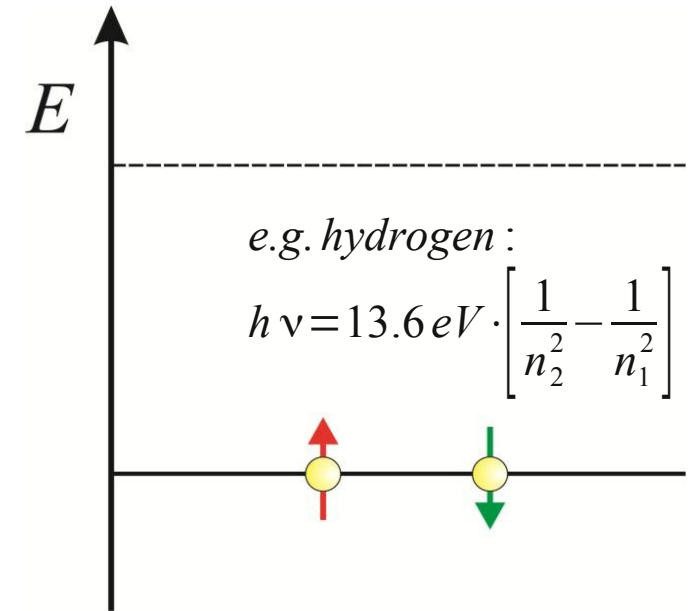
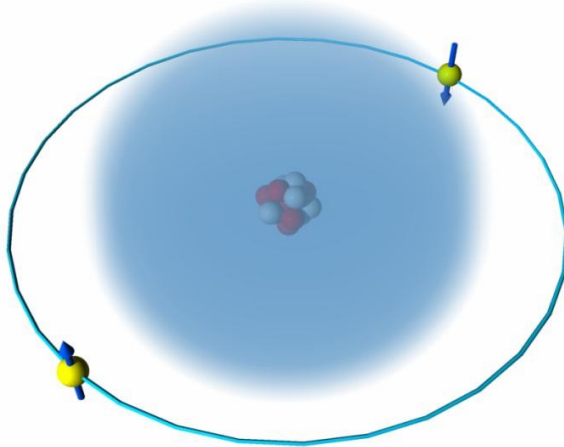
- Popular hypothesis of how electronics works: 'Magic Smoke'



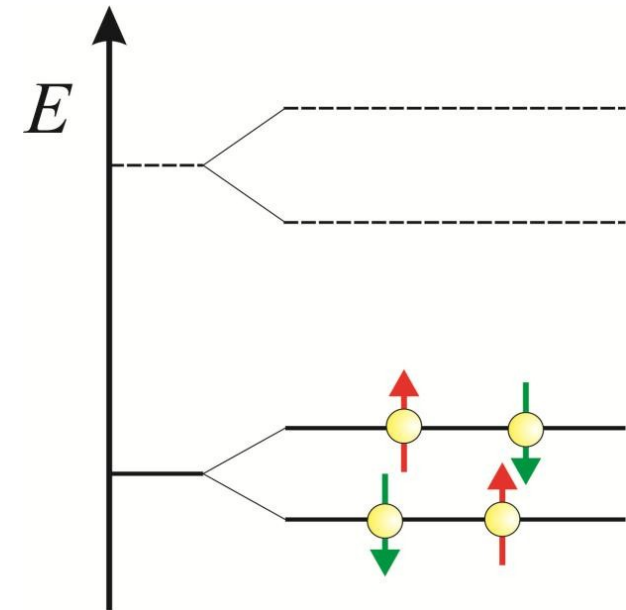
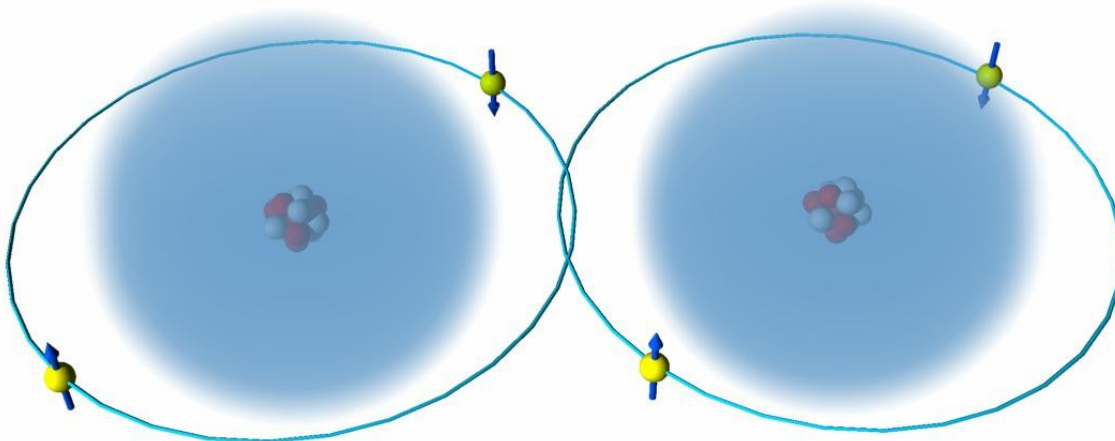
- source: [http://en.wikipedia.org/wiki/Magic\\_smoke](http://en.wikipedia.org/wiki/Magic_smoke)
- Will continue presenting an alternative theory ...

# Semiconductor Basics I/IV

- single atom

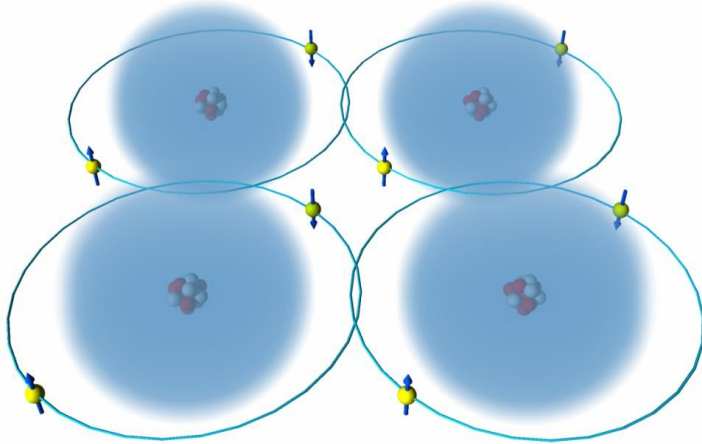


- two atoms

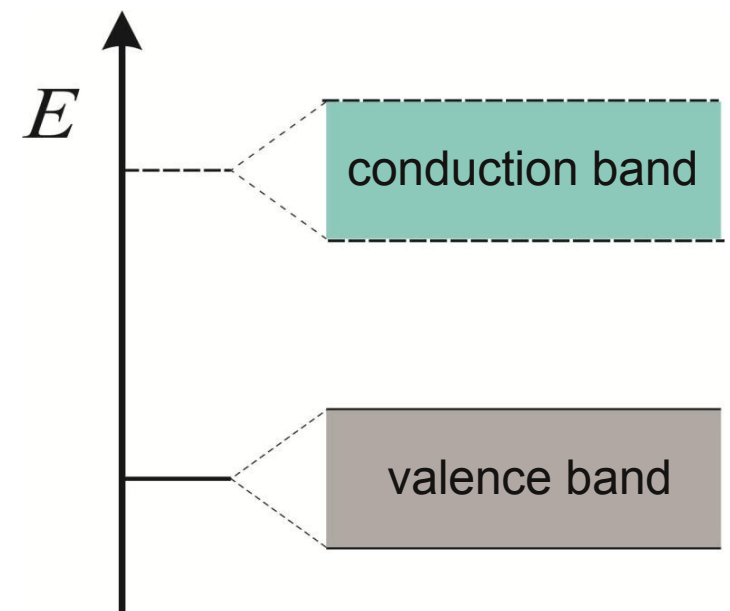
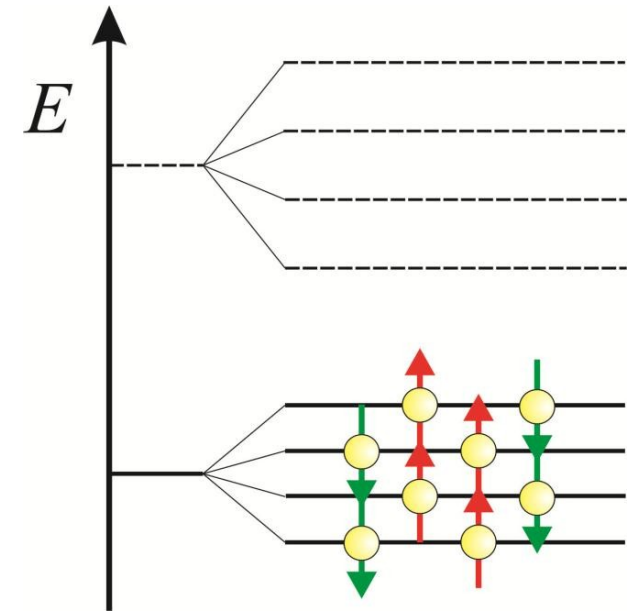
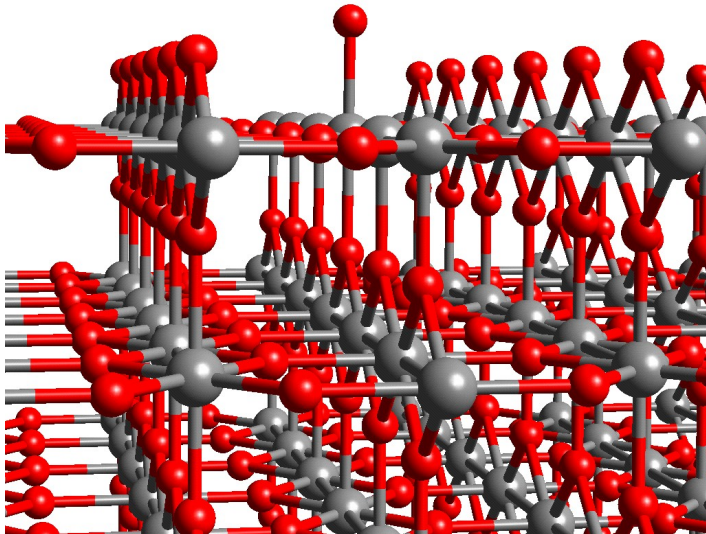


# Semiconductor Basics II/IV

- four atom



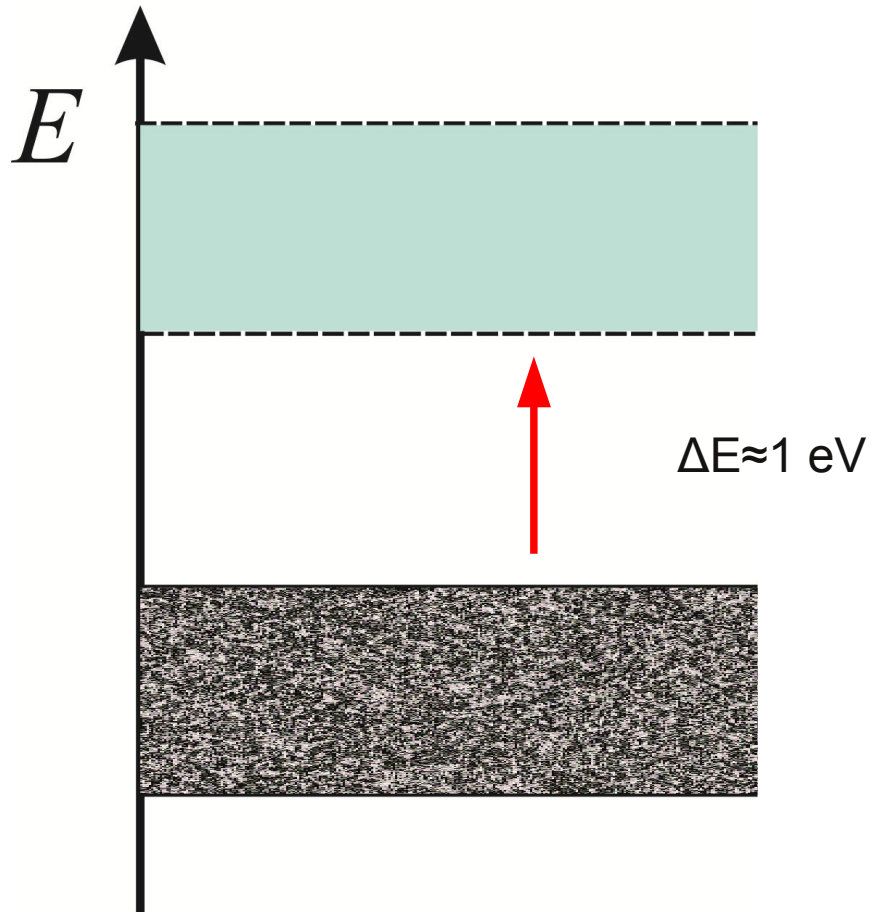
- crystal lattice ( $> 10^{20}$  atoms)



# Two extremes...

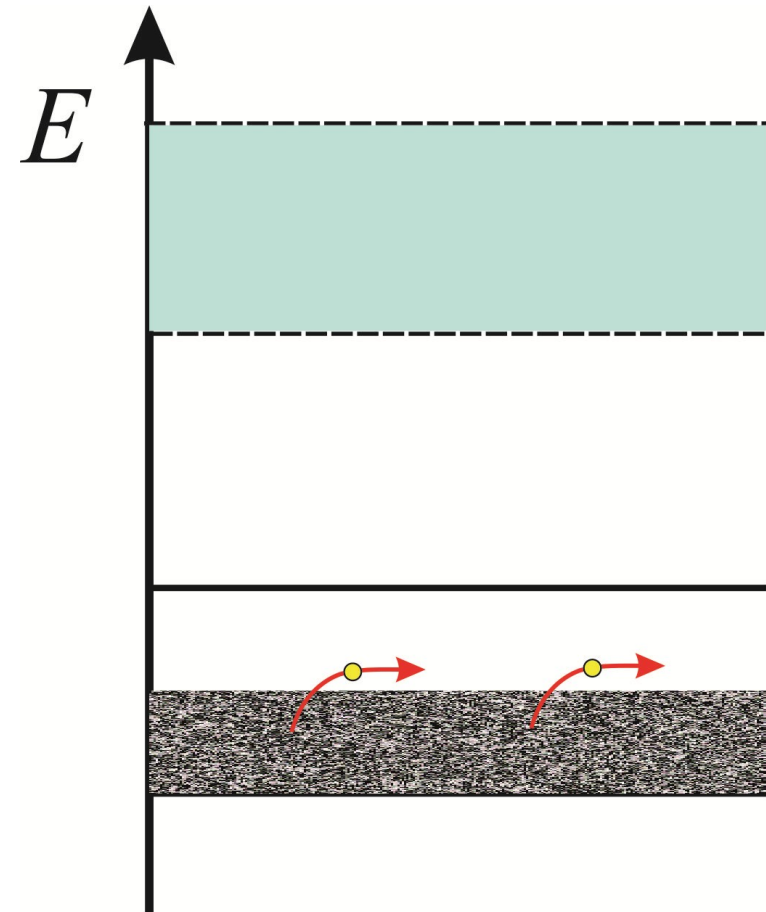
- Insulator ...

- all slots in valence band filled.



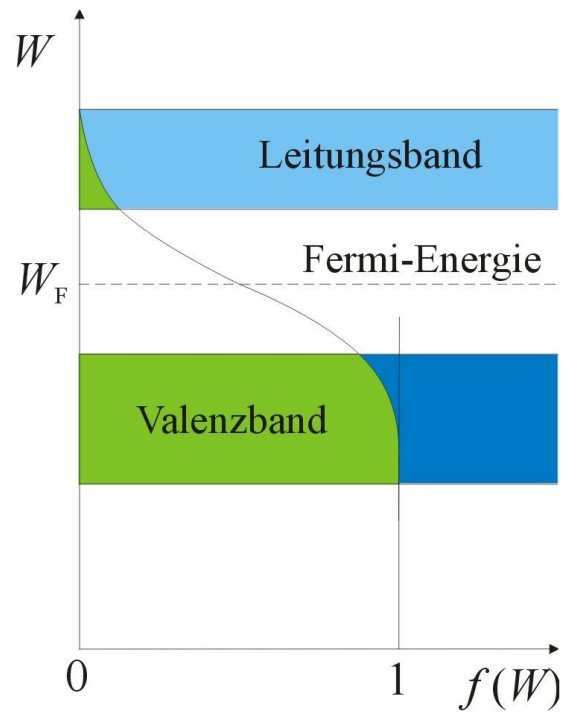
- Conductor ...

- valence band partially filled



# Semiconductor Basics III/IV

- Pure silicon is an insulator!
  - particularly at low temperatures T



$\Delta E \approx 1.1 \text{ eV}$

$$f(W) = \frac{1}{1 + \exp\left(\frac{W - W_F}{kT}\right)}$$

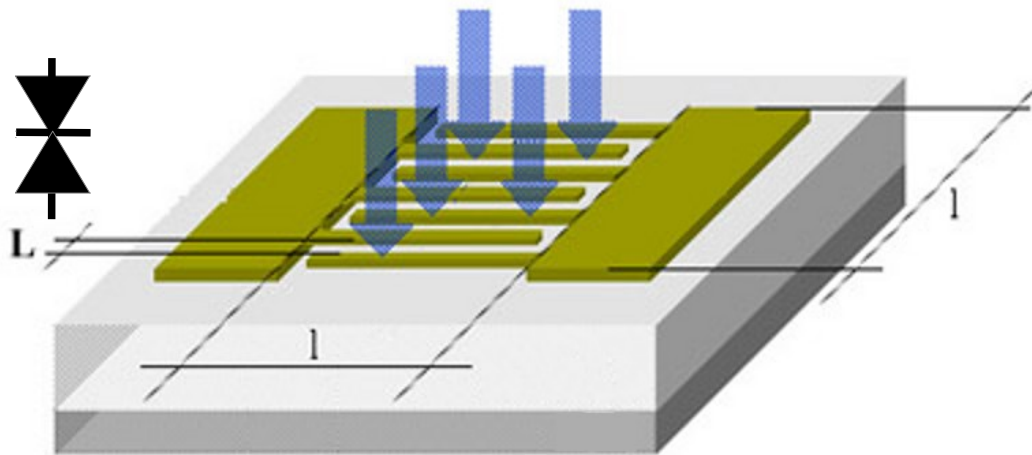
$$W_F = \frac{p_F^2}{2m} = \frac{h^2}{2m} \left(\frac{3}{8\pi} n\right)^{\frac{2}{3}}$$

$n$ : electron density,  $m$ : electron mass

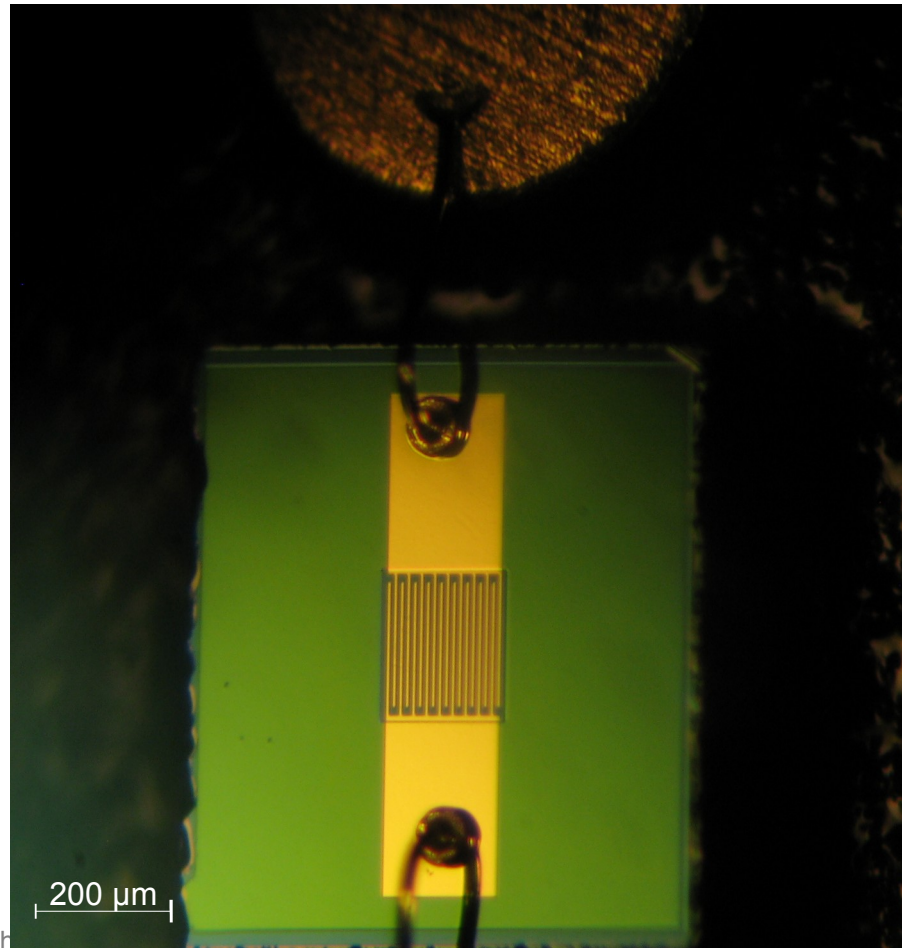
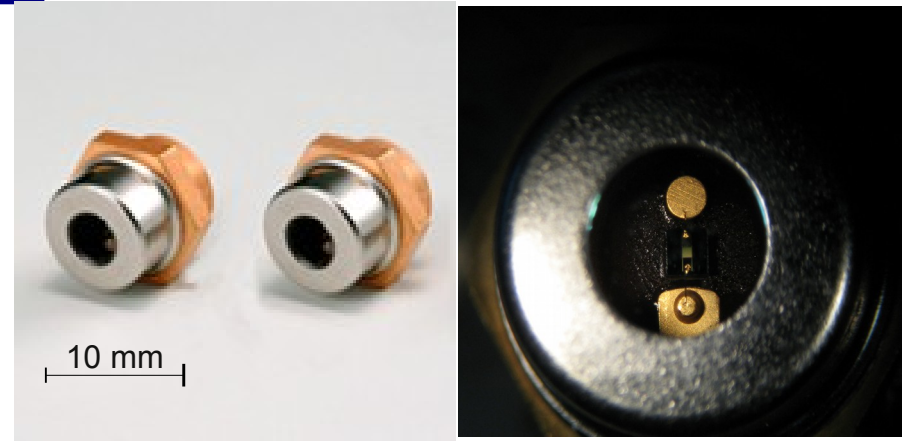
↔ strong temperature dependence of all semi-conductor devices



# Metal-Semiconductor-Metal (MSM) Photodetector



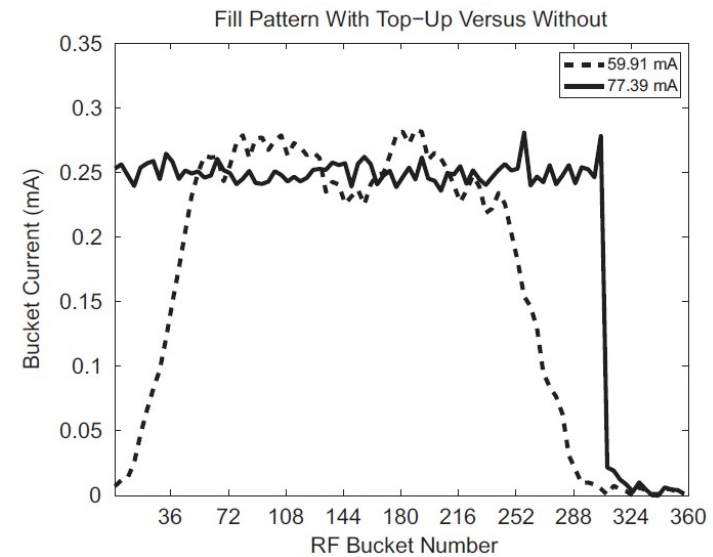
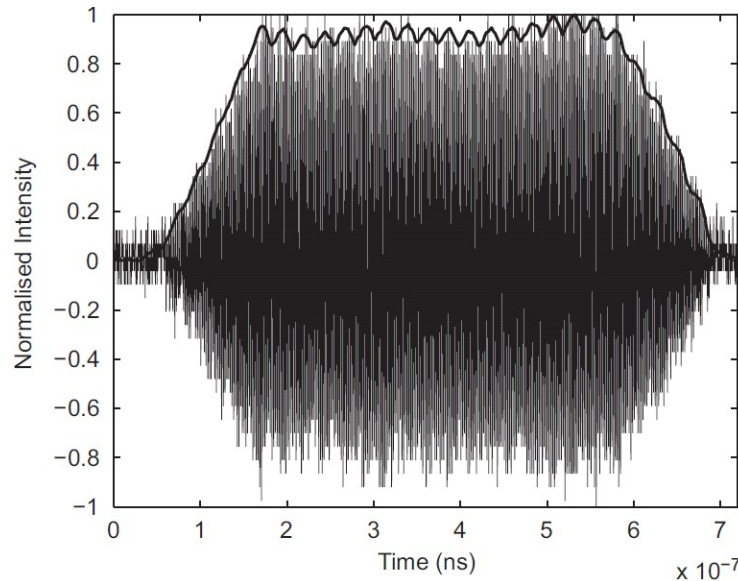
- **>300 GHz bandwidth possible!**



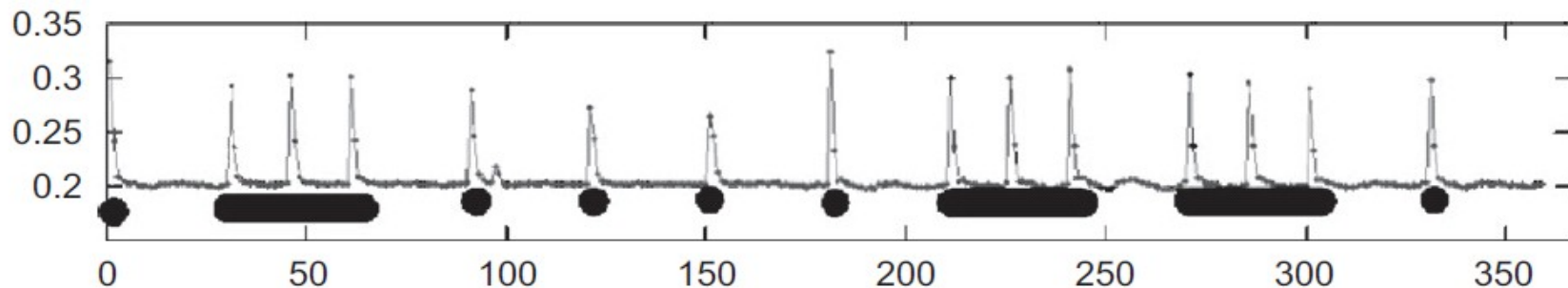


# Synchrotron-Light based Fill-Pattern-Monitor

- ASLS's Fill Pattern Monitor (FPM)\*



- ASLS fill pattern *a la carte*:

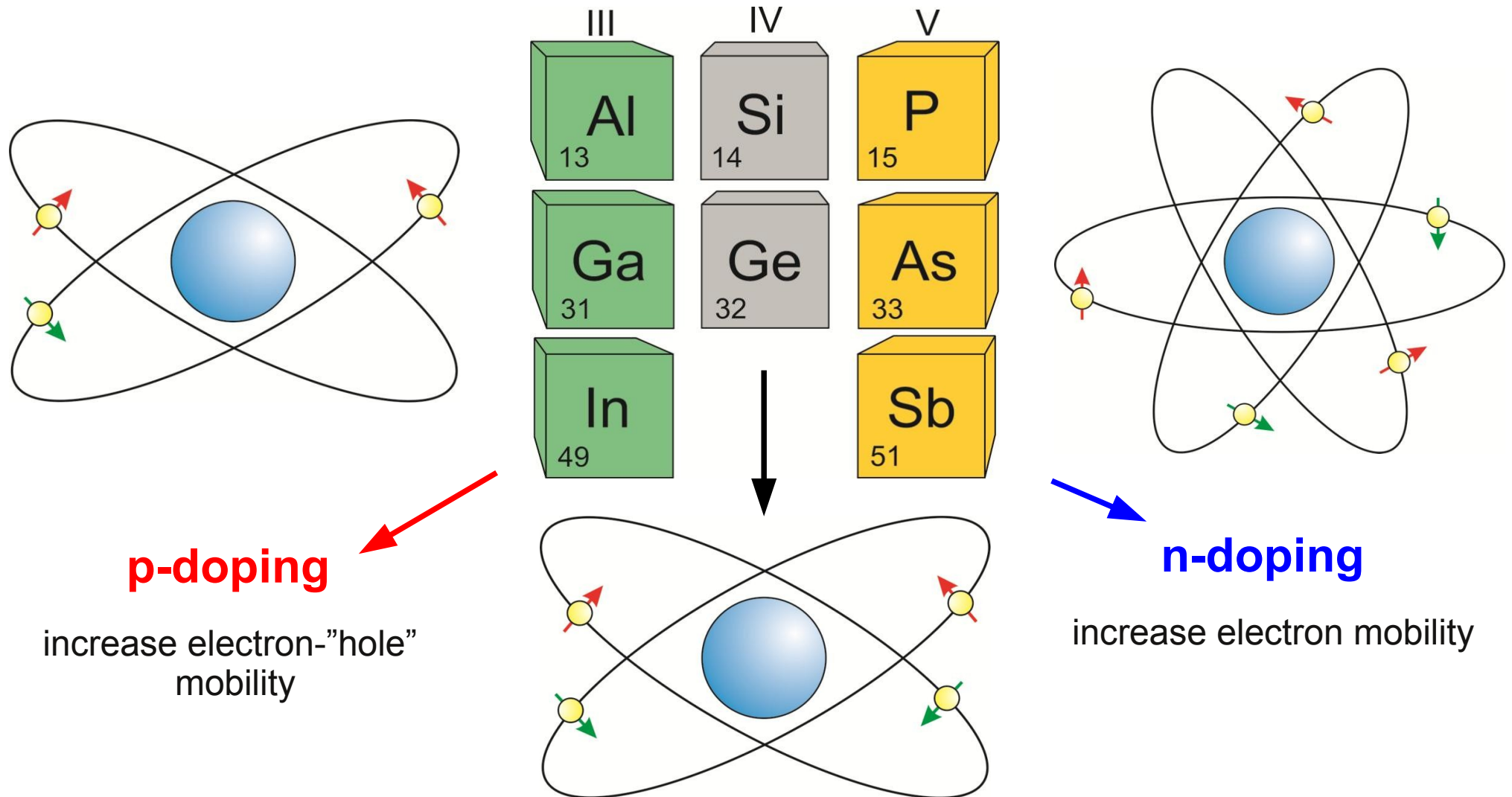


**Australian Synchrotron Project**

\*D. Peak, M. Boland, R. Rassool, et. al., "Measurement of the real time fill-pattern at the Australian Synchrotron", NIMA, 2008

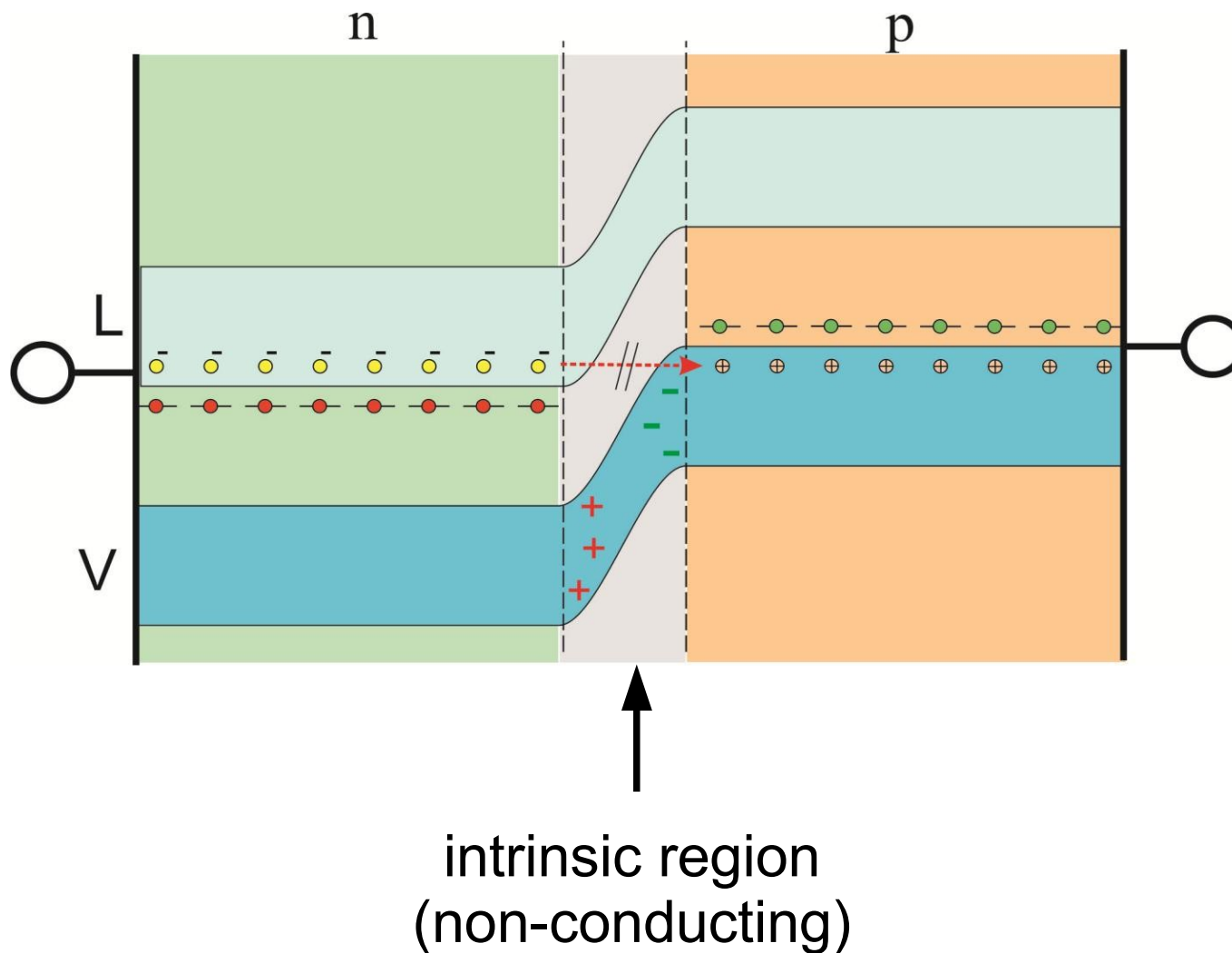
# Semiconductor Basics IV/IV

- Smallest crystal lattice impurities can change the conductivity significantly → “doping”



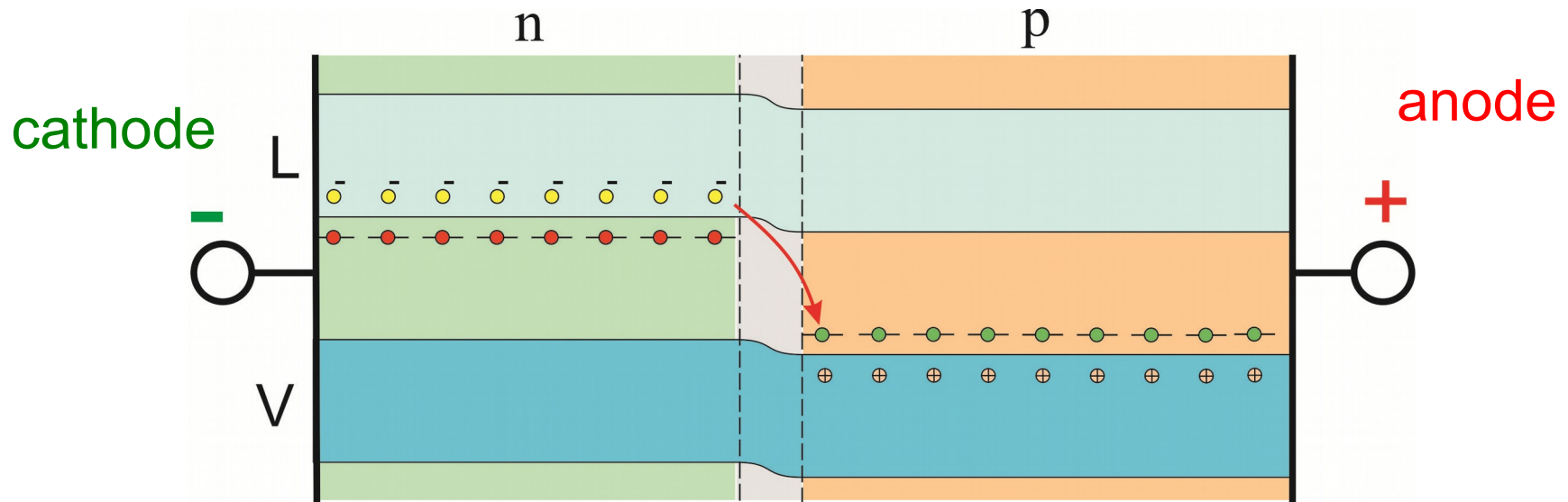
# Diode

- Connecting n/p-doped semiconductor form 'intrinsic' region



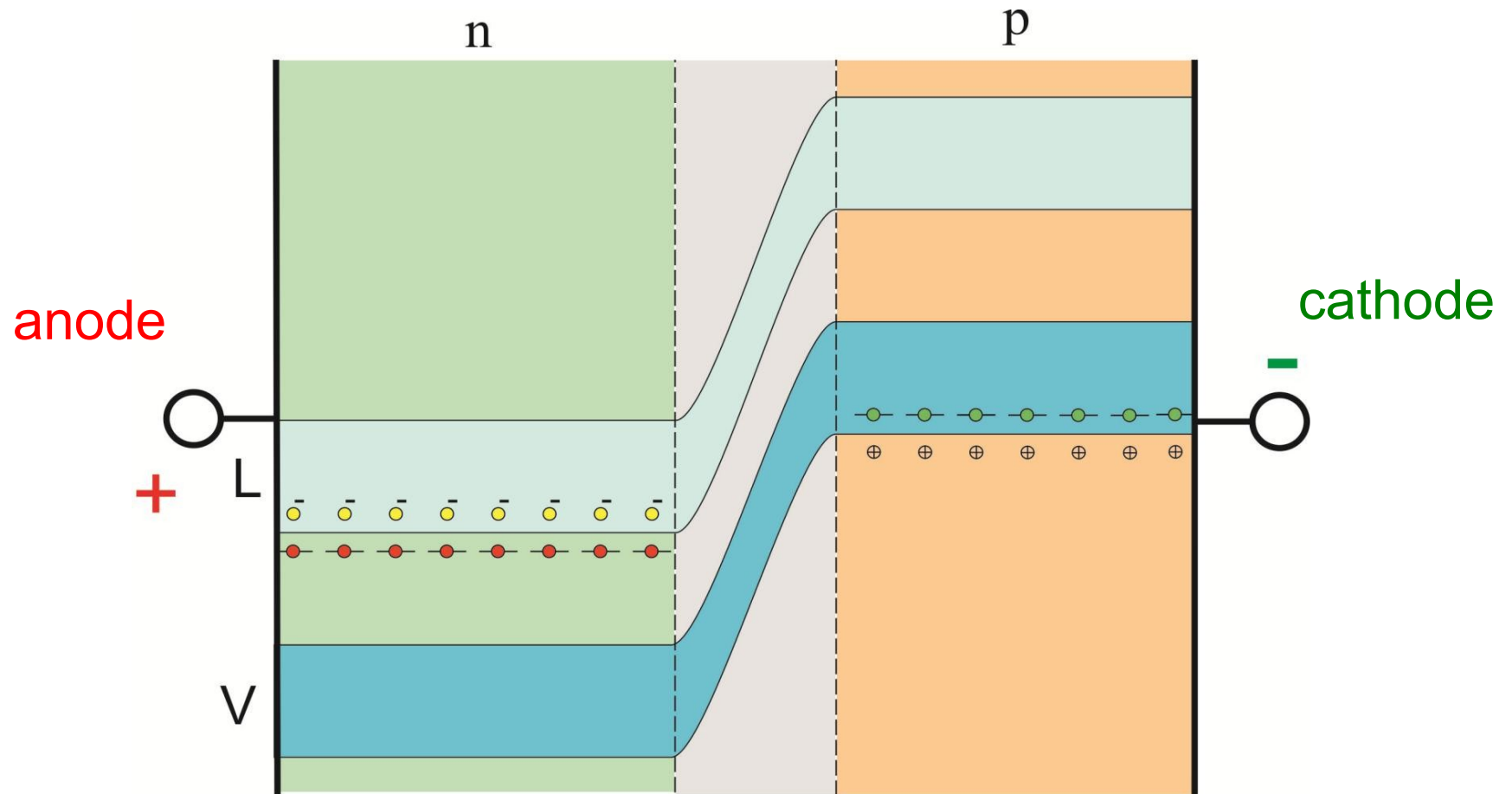
# Diode – Forward Polarity

- conducts current

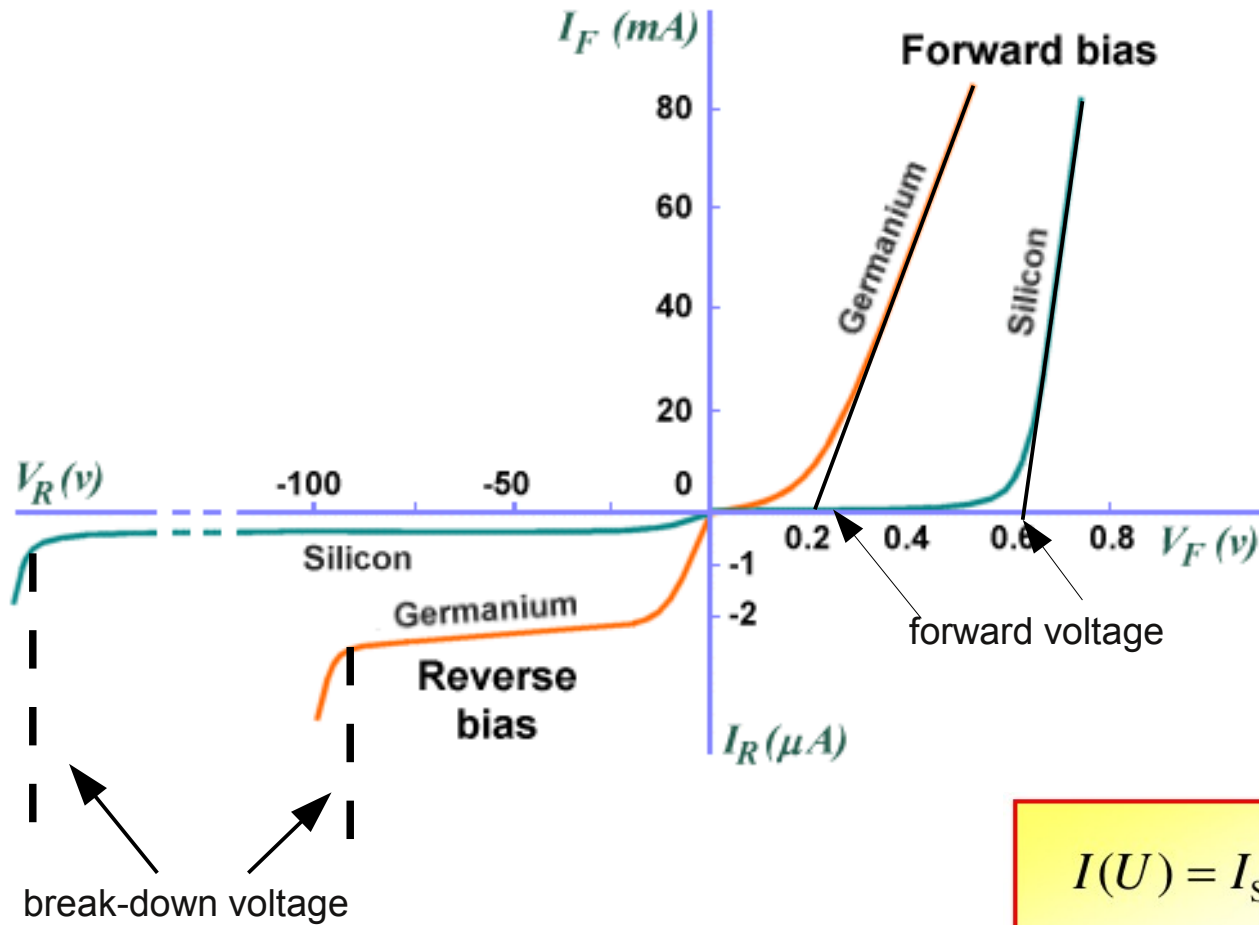


# Diode – Reverse Polarity

- blocks current



# Diode – Shockley Equation



$$I(U) = I_s \left( \exp\left(\frac{eU}{mkT}\right) - 1 \right)$$

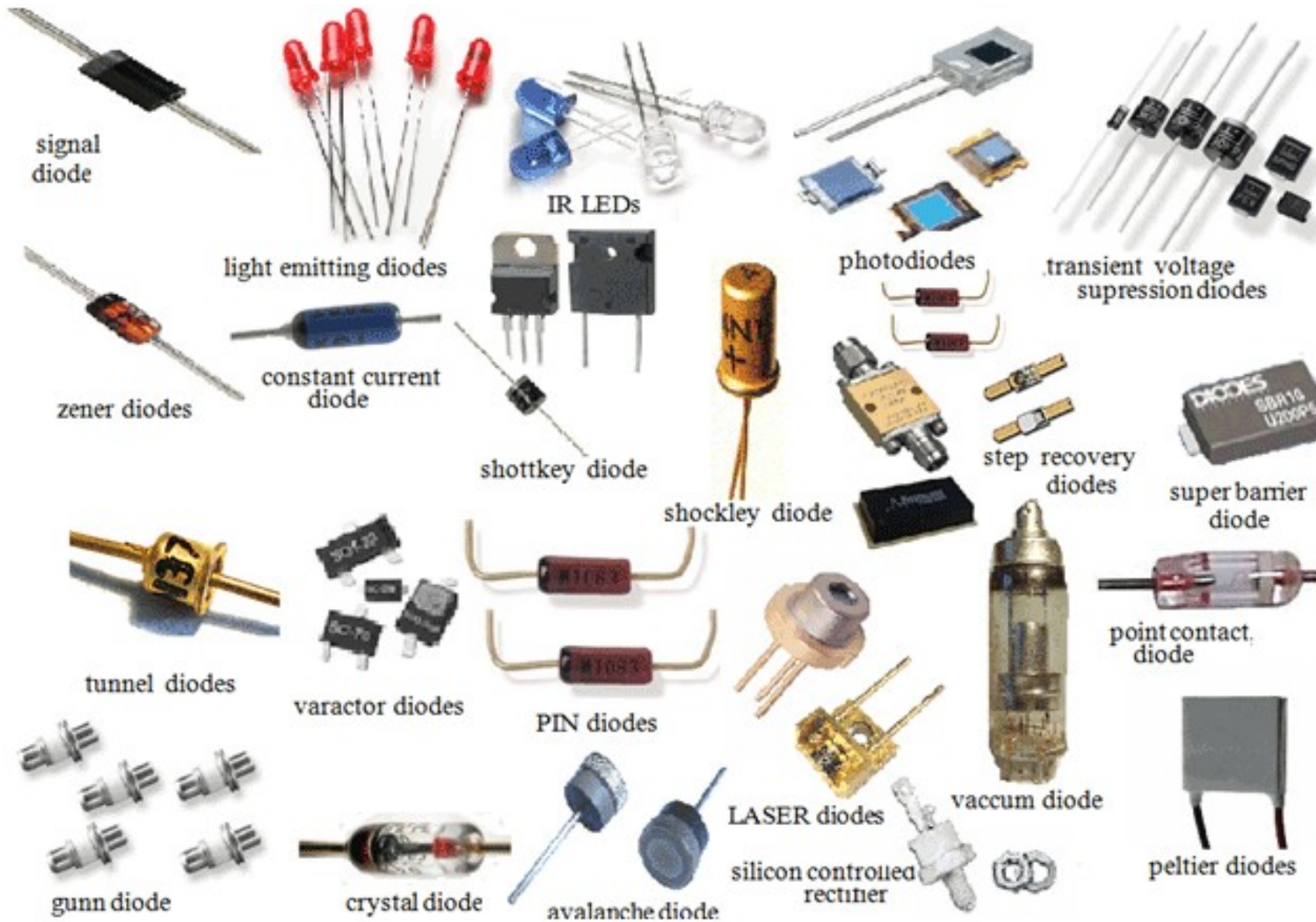
$$= I_s \left( \exp\left(\frac{U}{mU_T}\right) - 1 \right)$$

- Material properties

- Silicon:  $I_s = 10^{-11}$  A,  $mU_T = 0.03$  V
- Germanium:  $I_s = 10^{-7}$  A,  $mU_T = 0.03$  V

$$U_T = \frac{kT}{e} = 25.5 \text{ mV}$$

# Diode Types I/II



Types of Diode

# Diode as a Rectifier I/II

dc simulation

DC1

transient simulation

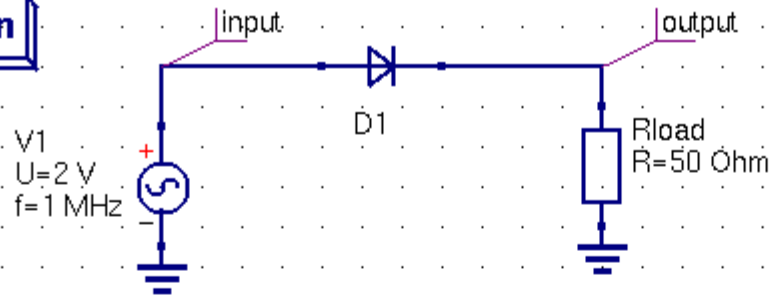
TR1

Type=lin

Start=0

Stop=5 us

Points=1001



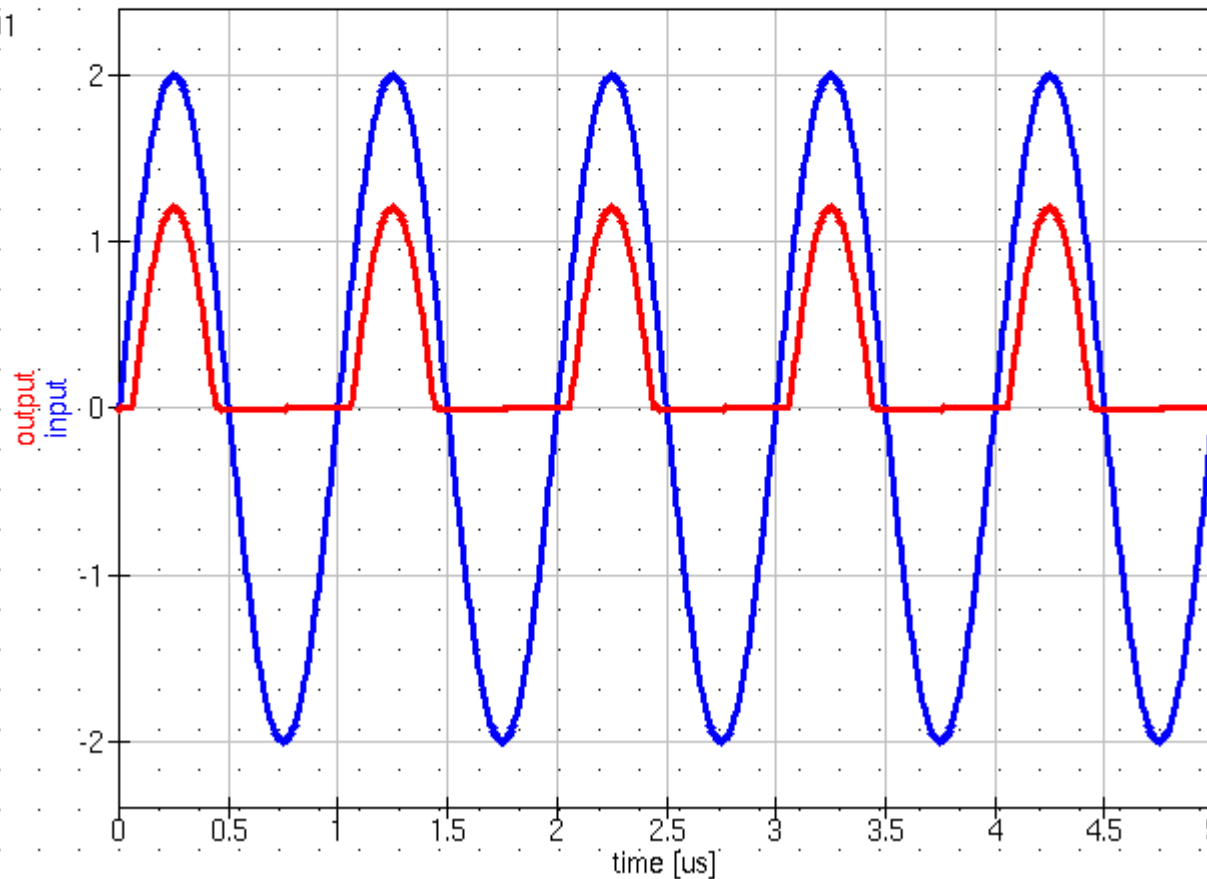
Equation

Eqn1:

time\_us=time\*1e6

input=PlotVs(input,Vt,time\_us)

output=PlotVs(output,Vt,time\_us)





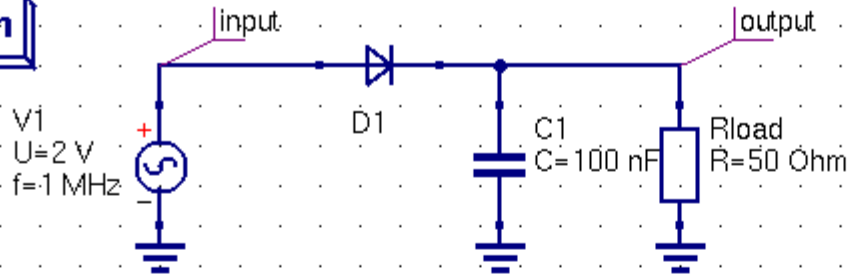
# Diode as a Rectifier II/II

dc simulation

DC1

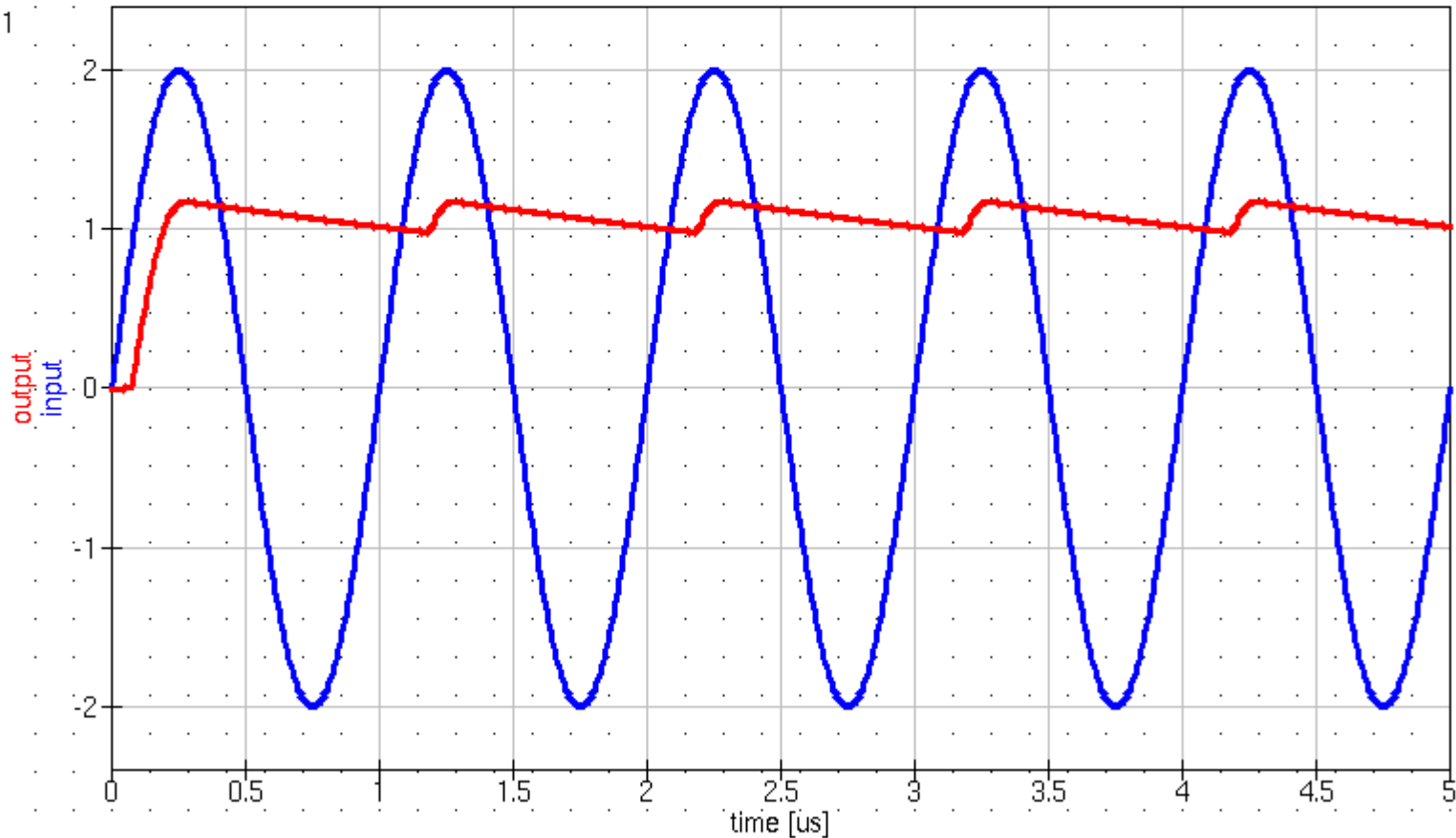
transient simulation

TR1  
Type=lin  
Start=0  
Stop=5 us  
Points=1001



Equation

Eqn1  
time\_us=time\*1e6  
input=PlotVs(input,Vt,time\_us)  
output=PlotVs(output,Vt,time\_us)



# Fast RF Switch using Diodes

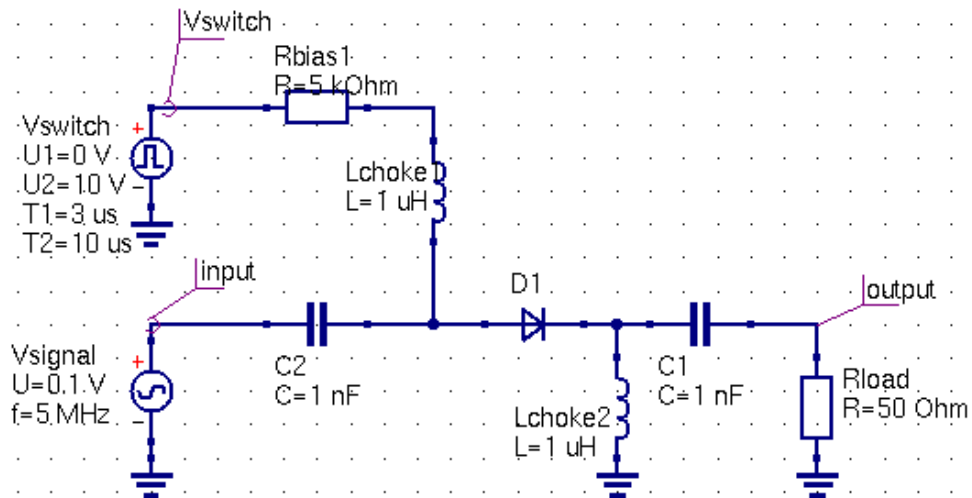
dc simulation

DC1.

transient simulation

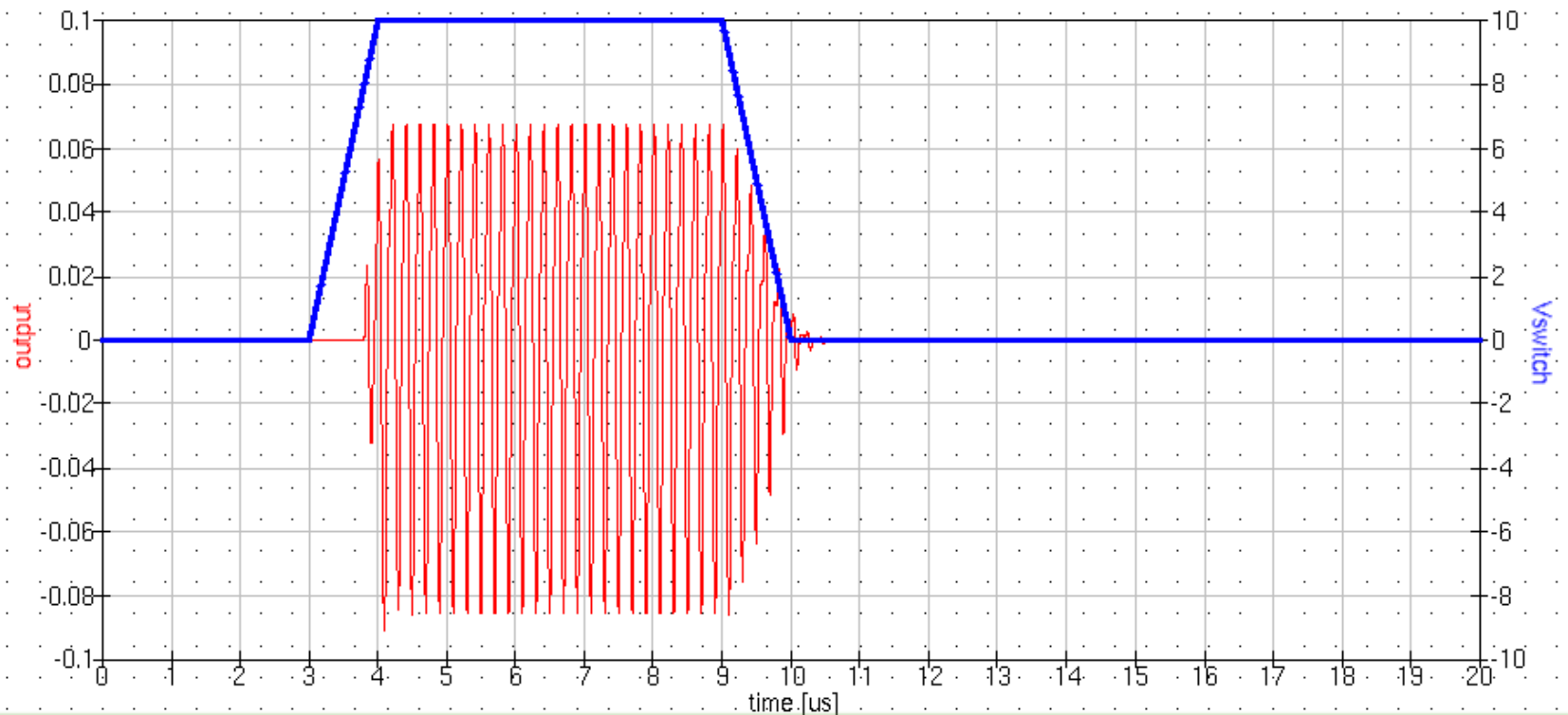
TR1

Type=lin  
Start=0  
Stop=20 us  
Points=20001



Equation

```
Eqn1  
time_us=time*1e6  
input=PlotVs(input.Vt,time_us)  
output=PlotVs(output.Vt,time_us)  
Vswitch=PlotVs(Vswitch.Vt,time_us)
```



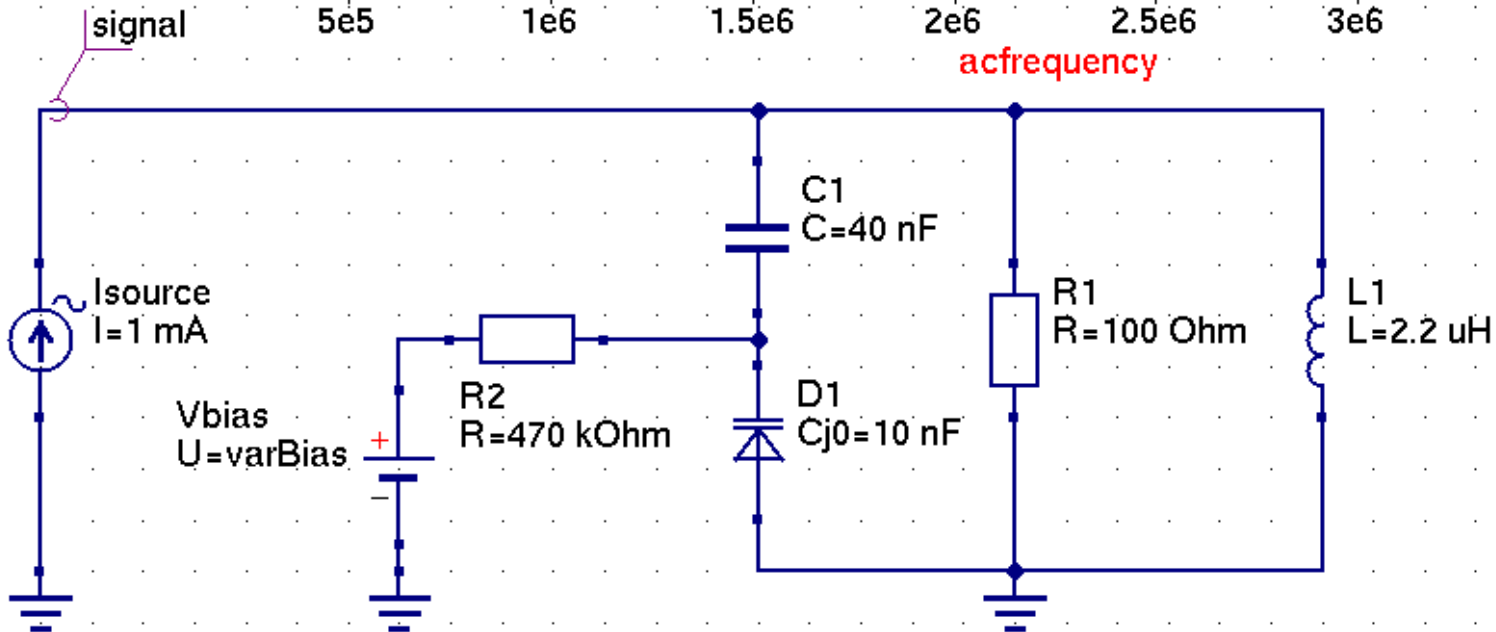
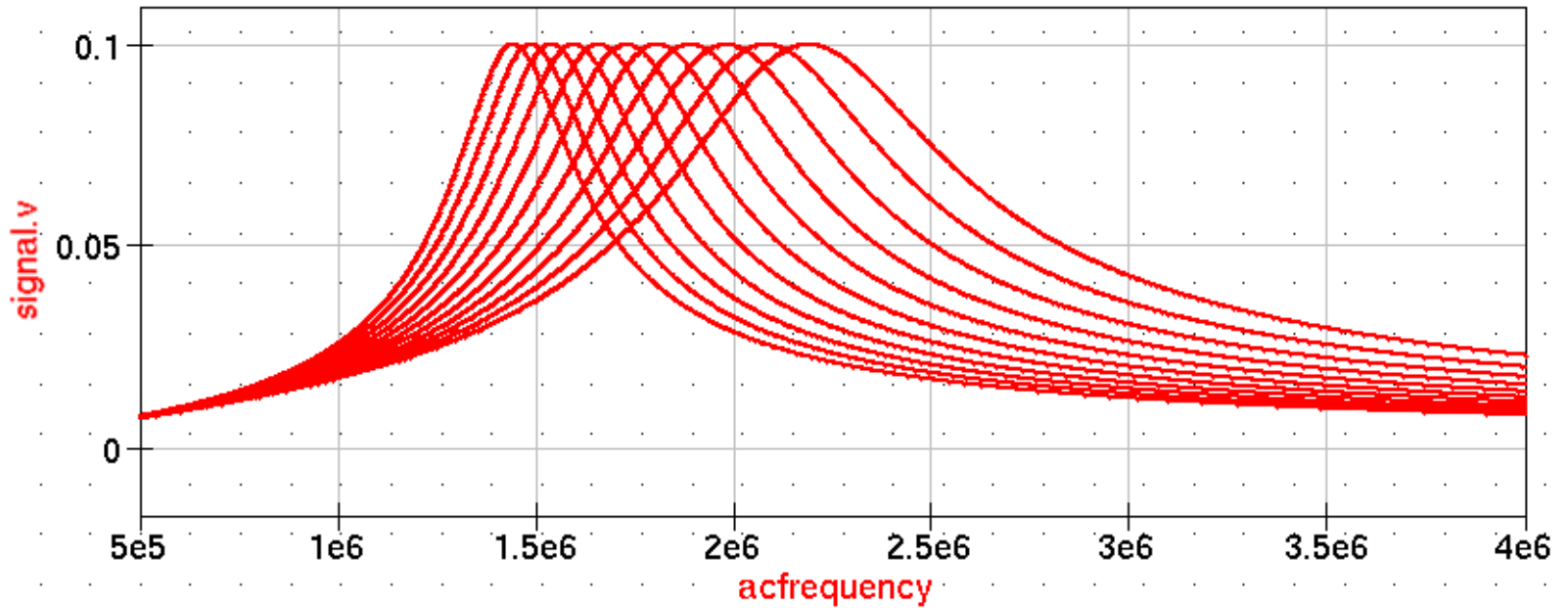
# Diodes as Variable Capacitors

dc simulation

DC1

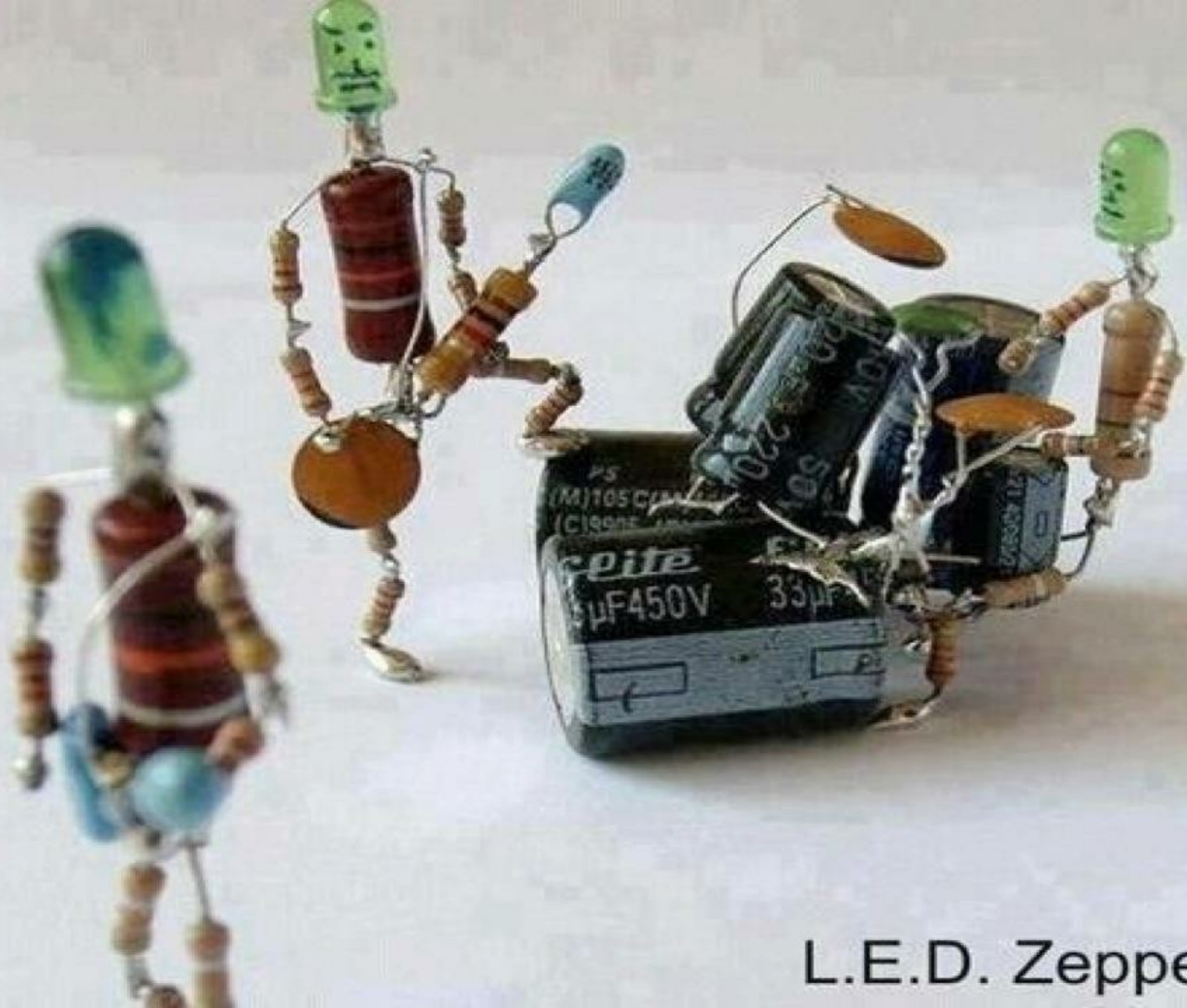
ac simulation

AC1  
Type=log  
Start=0.5 MHz  
Stop=4 MHz  
Points=2001  
Noise=yes



Parameter sweep

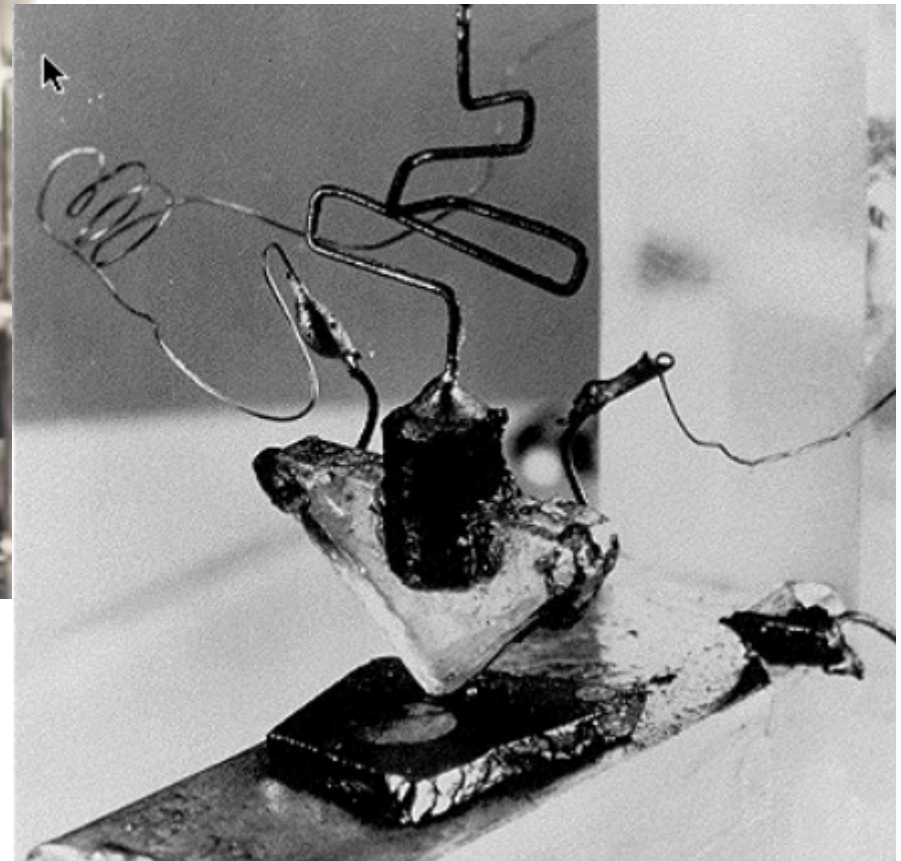
SW1  
Sim=AC1  
Type=log  
Param=varBias  
Start=1 V  
Stop=10 V  
Points=11



L.E.D. Zeppelin

# First (working) Transistor (23.12.1947)

- John Bardeen, William Shockley & Walter Houser Brattain



- 1956 Nobel prize for Physics

# ... and Extract from their Notes (24.12.1947!)

DATE Dec 24 1947  
CASE No. 3 P 177-7

We obtained the following A. C. values at 1000 cycles

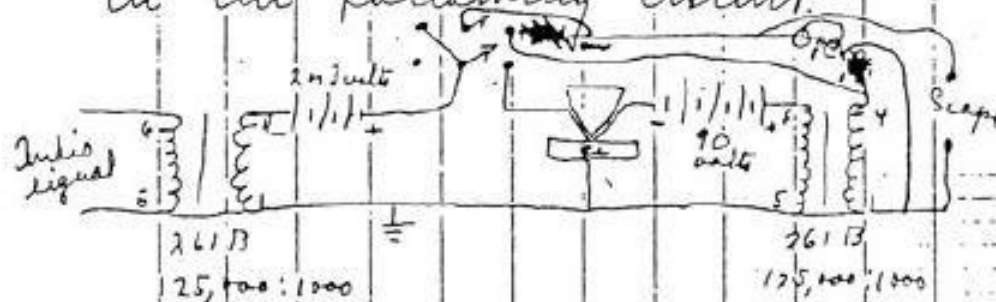
$$E_p = 0.15 \text{ R.M.S. volts} \quad E_p = 1.5 \text{ R.M.S. volts}$$

$$P_p = \frac{0.0001}{5.4 \times 10^{-7} \text{ watts}} \quad P_p = 2.25 \times 10^{-5}$$

Voltage gain 100 Power gain 40

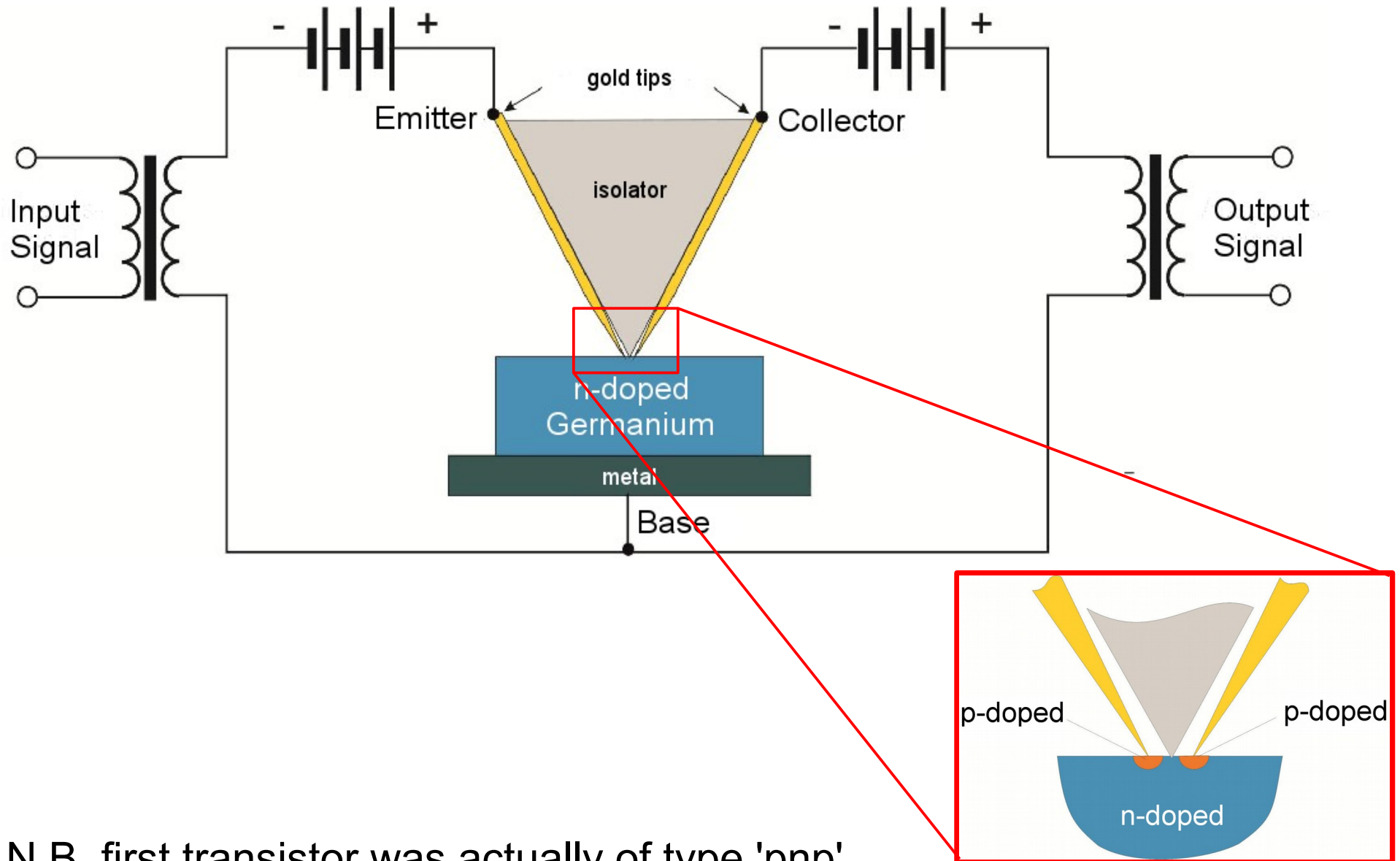
Current loss  $\frac{1}{2.5}$

This unit was then connected in the following circuit.



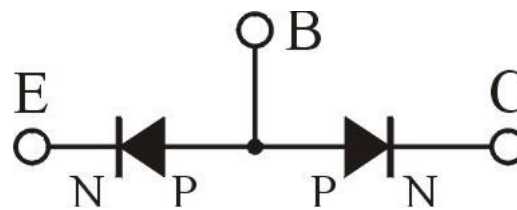
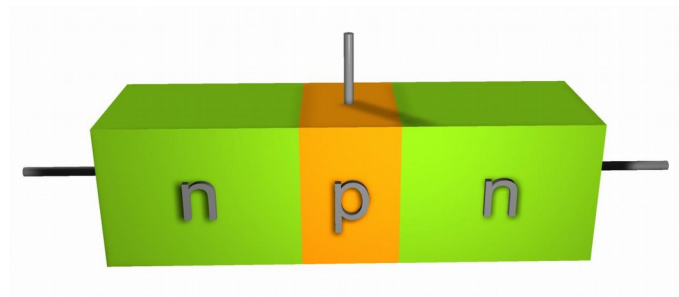
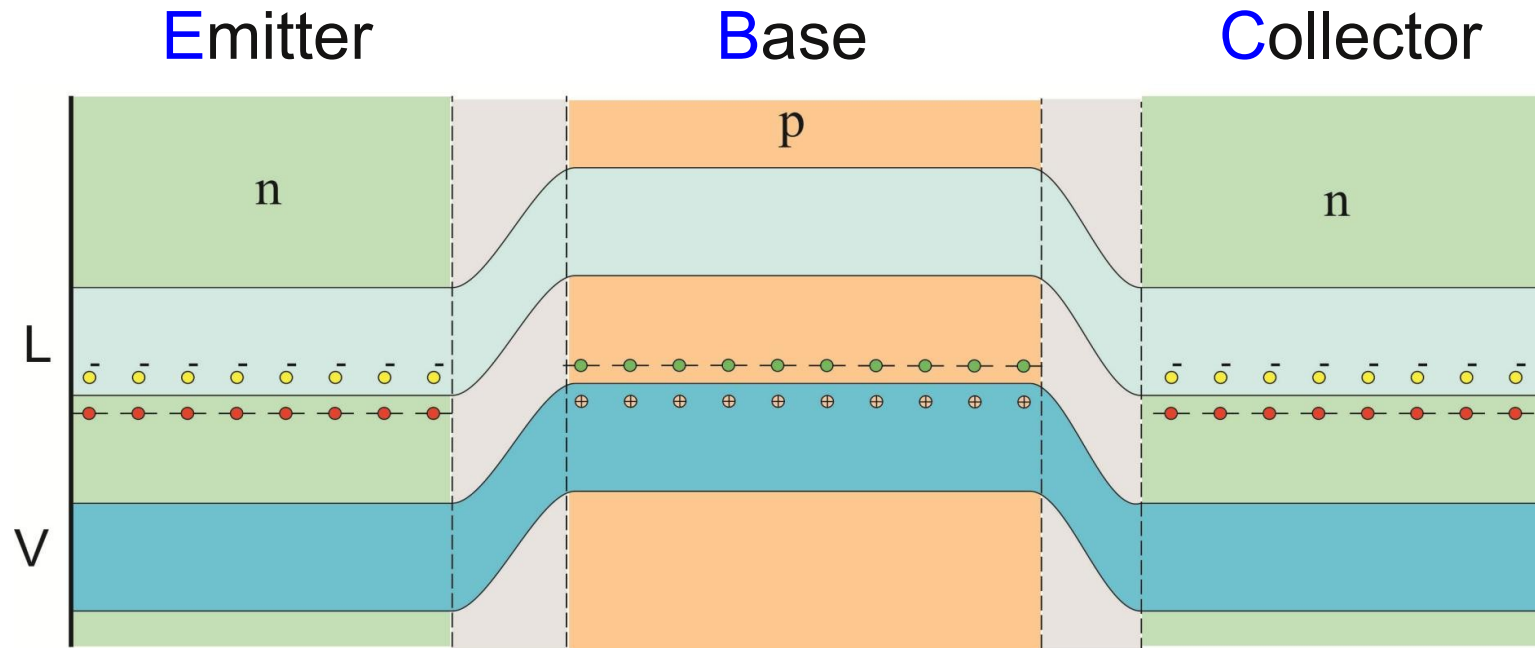
This circuit was actually spoken over and by switching from the driver in and out a distinct gain in speech level could be heard and seen on the scope presentation with no noticeable change in ~~power~~ quality. The measurements at a fixed frequency

# First Transistor Schematic



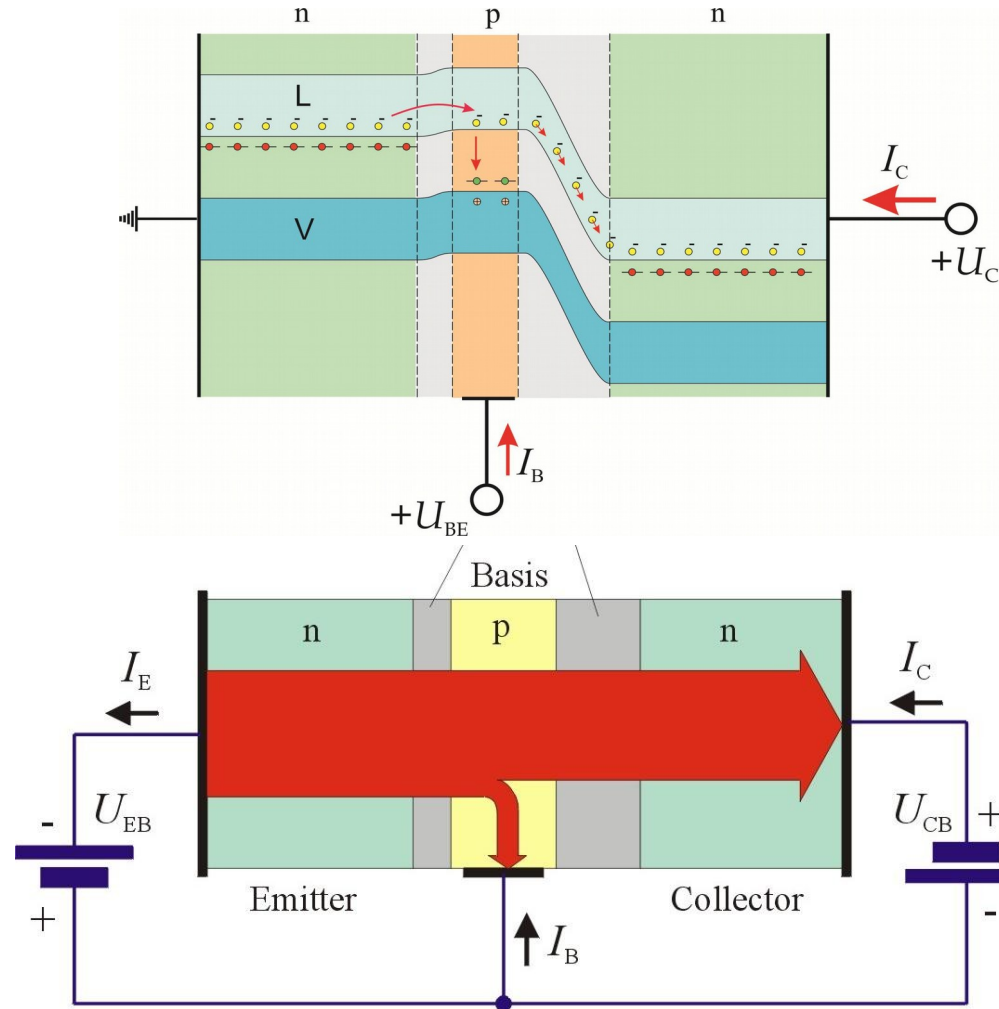
- N.B. first transistor was actually of type 'pnp'  
→ will discuss npn (similar but inverse polarities)

# Transistor Band Model





# Transistor – Basic Use



$$I_C = \beta \cdot I_b$$
$$\beta \approx 100$$

- Bottom-line: ... can control a large collector current with a small current

# Transistor Voltage Amplifier Example

dc simulation

DC1

transient simulation

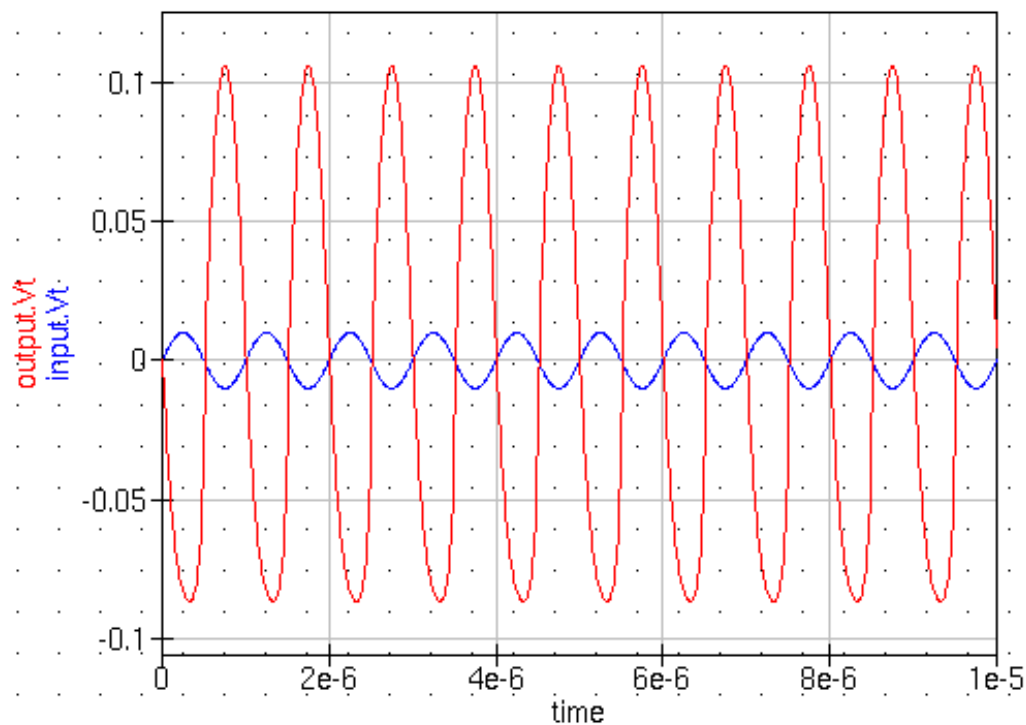
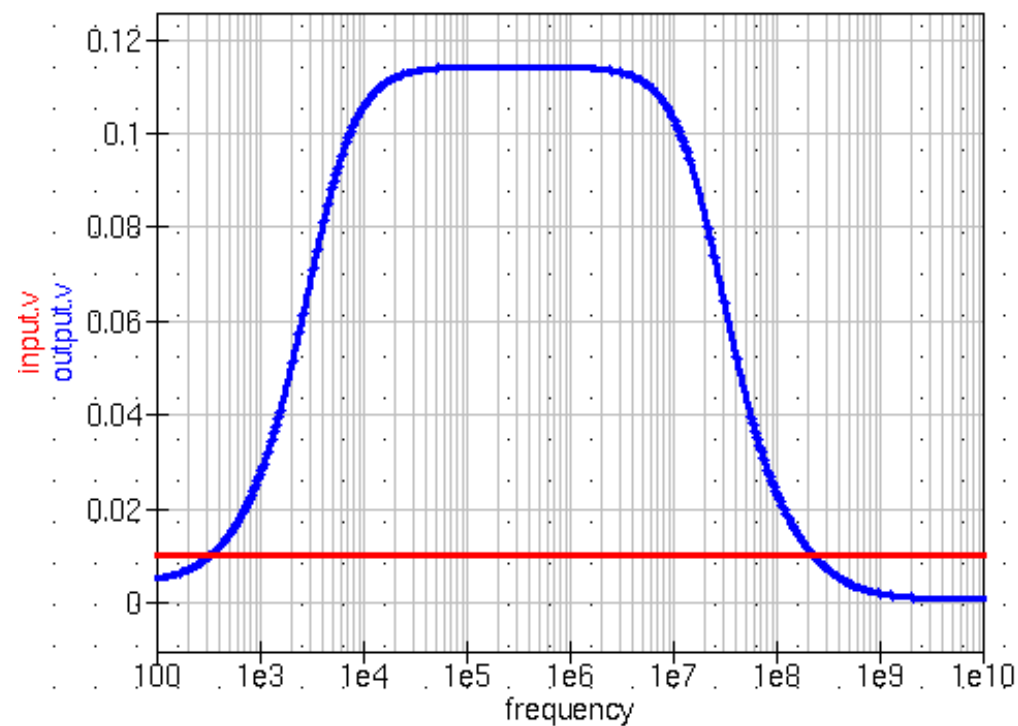
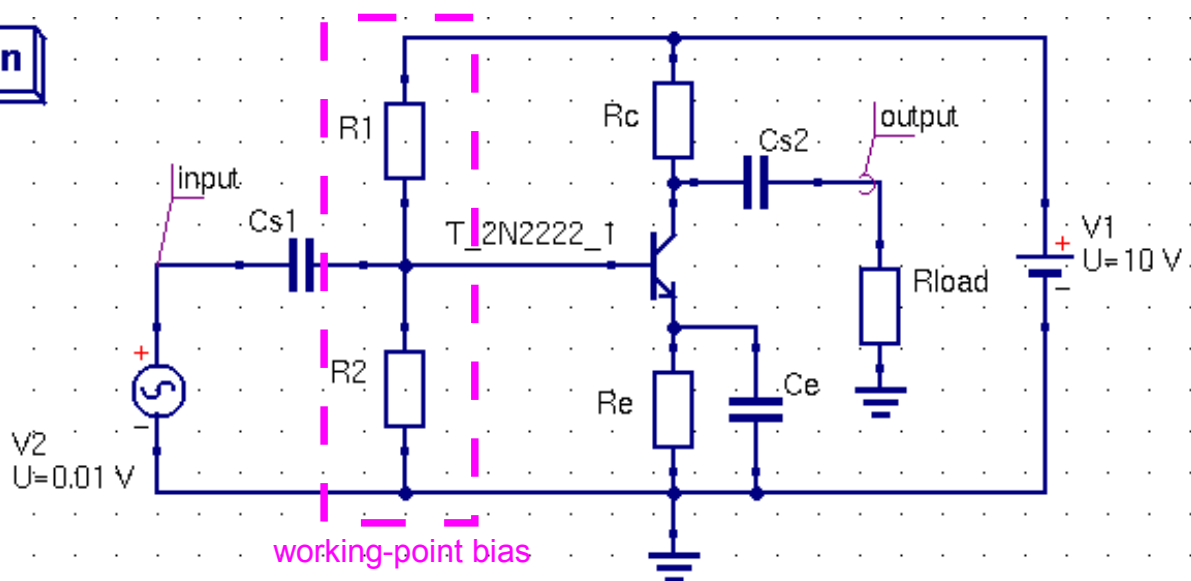
TR1  
Type=lin  
Start=0 us  
Stop=10 us  
Points=1001

ac simulation

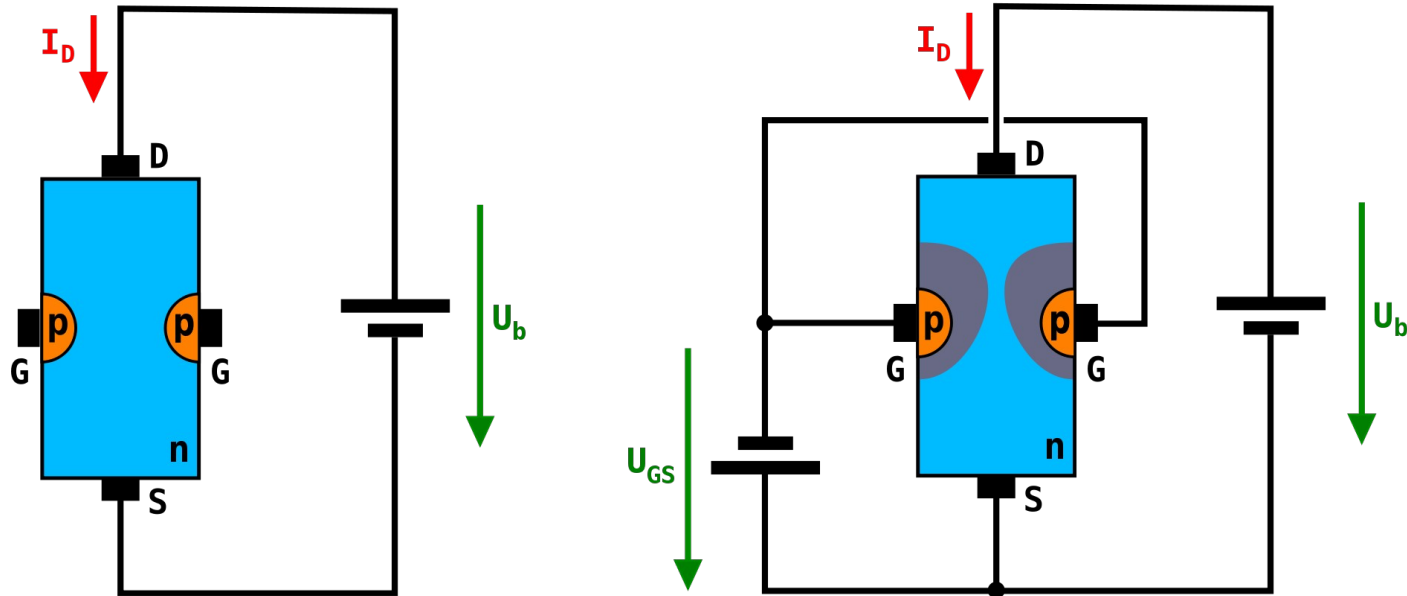
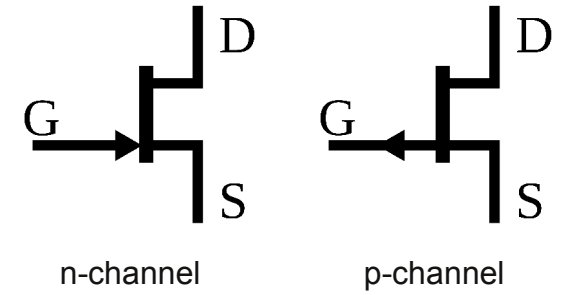
AC1  
Type=log  
Start=100 Hz  
Stop=10 GHz

Equation

Cs=10e-6  
R1=40e3  
R2=10e3  
Rc=1000  
Re=100  
Ce=10e-6

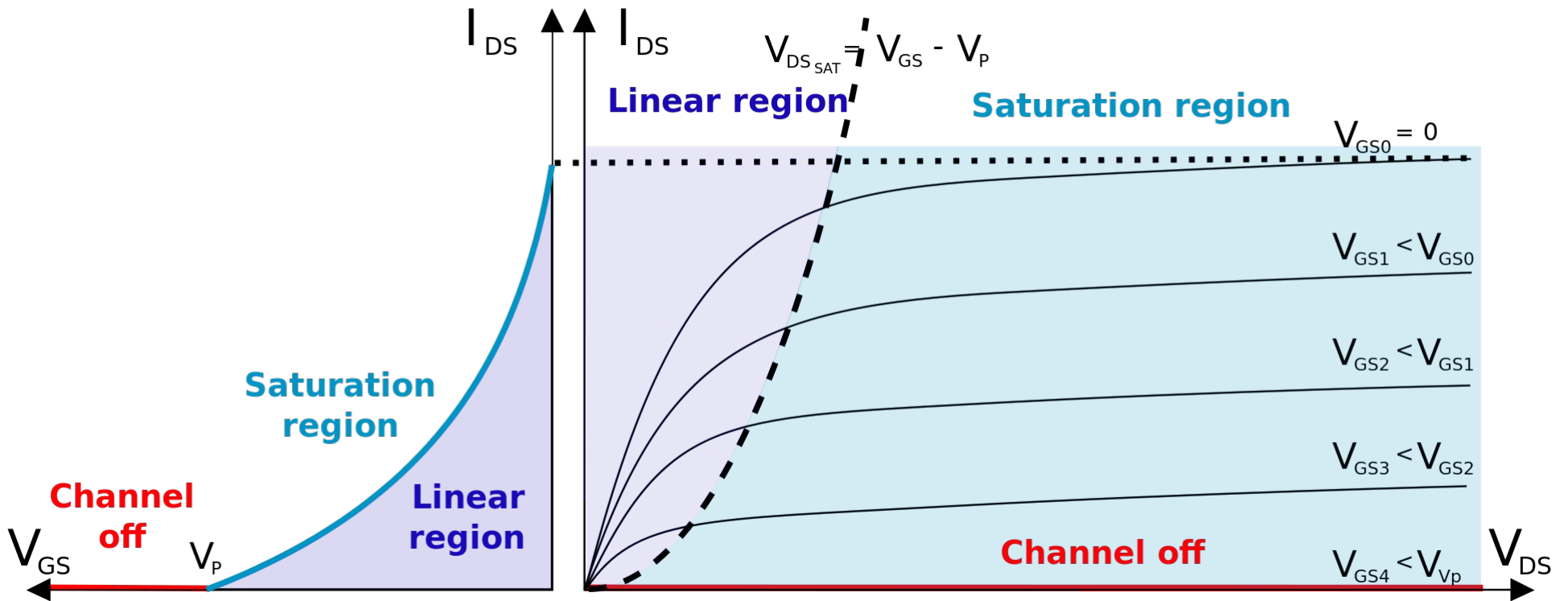
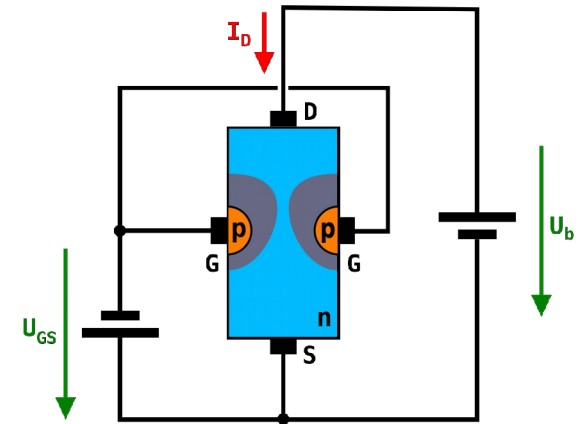


# FET I/III



Nice-online demo: <http://www-g.eng.cam.ac.uk/mmg/teaching/linearcircuits/jfet.html>

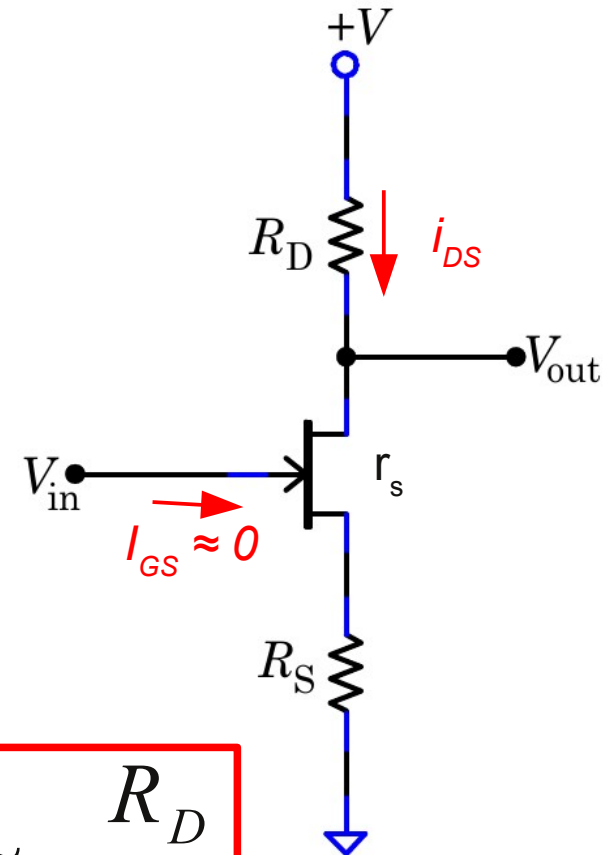
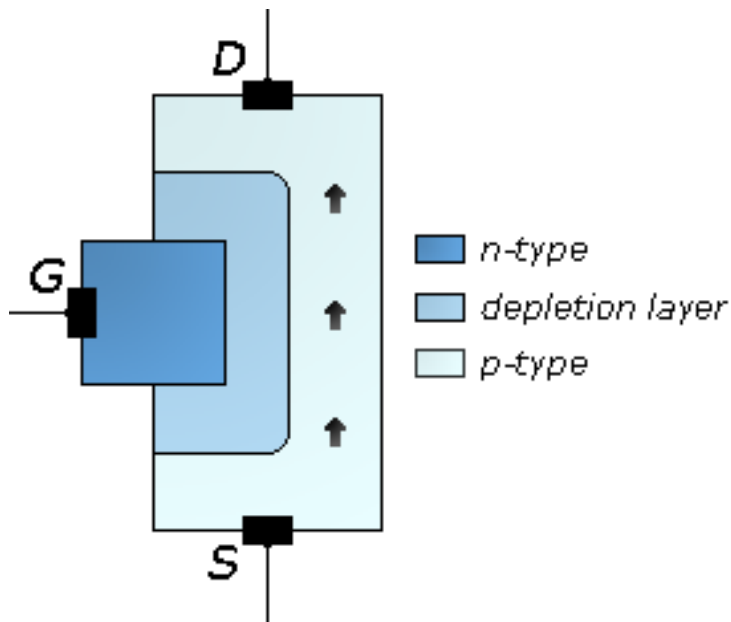
# FET II/II



# FET – Example

- Simple FET amplifier

- The gate-source current is extremely small
  - ↔ high-input impedance
  - ↔ doesn't draw current (/power) from the input



$$G \approx -\frac{R_D}{R_S}$$

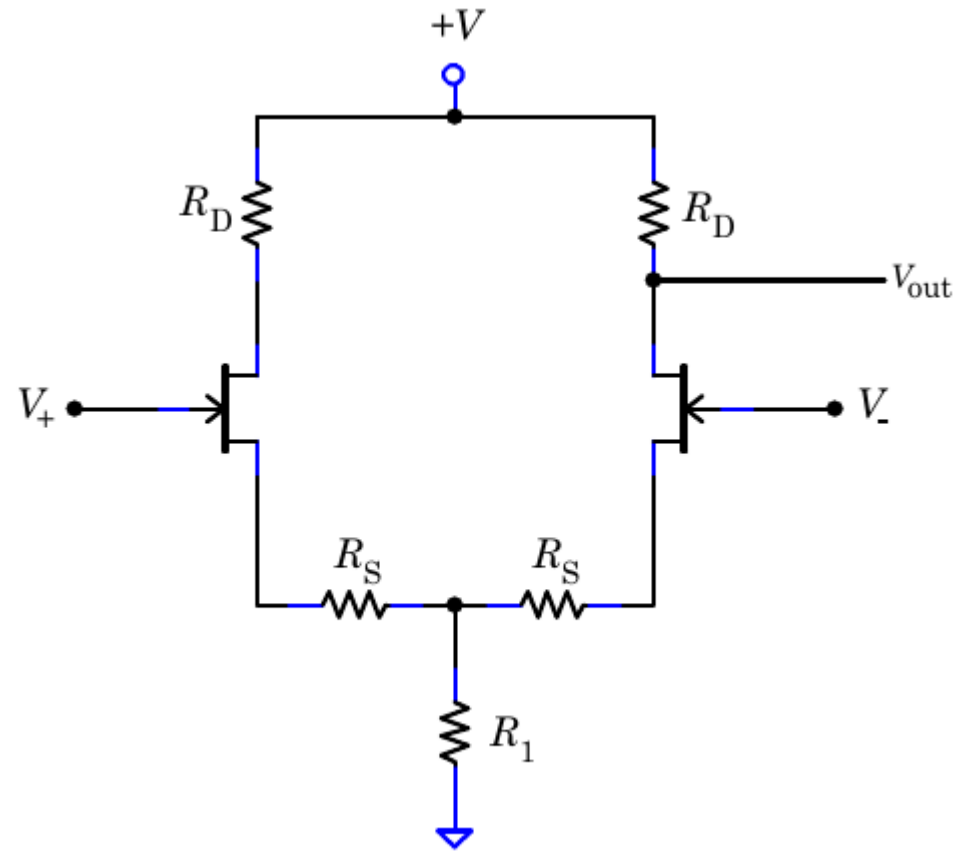
- Very useful if small current/charges need to be measured

# JFET Differential Amplifier

- Idea can be extended to a differential amplifier

$$U_{out} = G \cdot (V_p - V_m)$$

$$\text{with : } G \approx -\frac{R_D}{R_S}$$

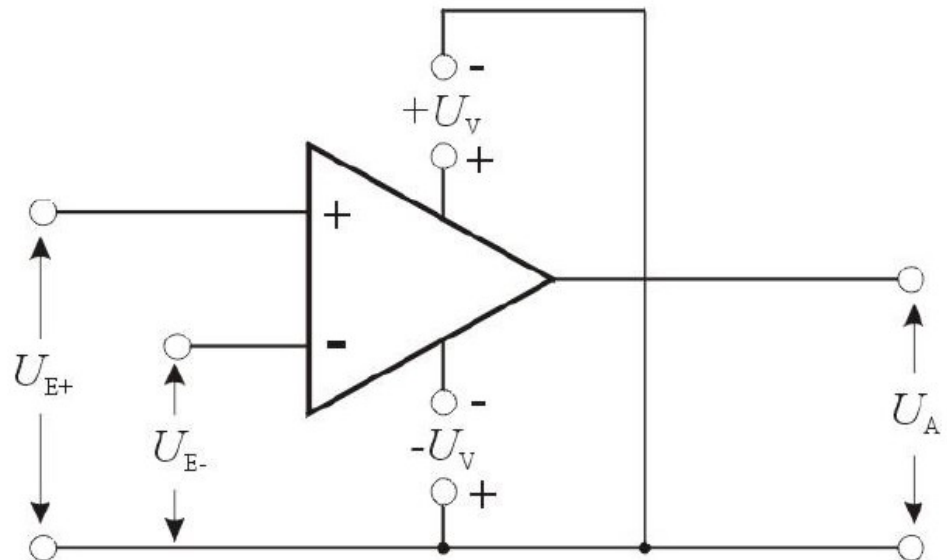


# Integrated Circuit: Operational Amplifier

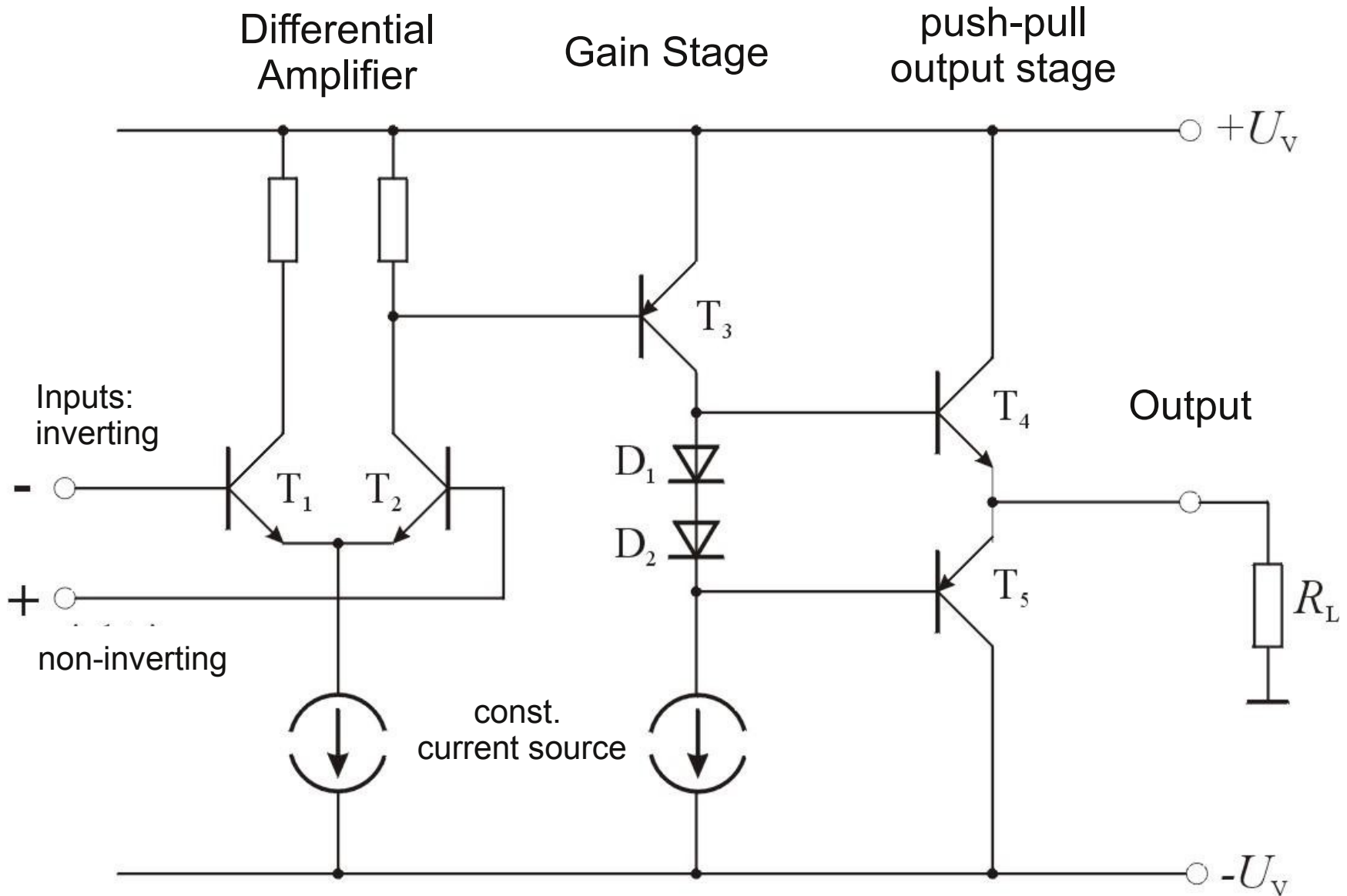
- ... or “OpAmps”: most popular differential amplifier (typ.  $f_{RF} < 500$  MHz)
  - DC-coupled, high-gain electronic voltage amplifier
  - differential input
    - large input impedance (particular with JFETs → good voltage monitors)
    - large 'common-mode' suppression of the inputs
  - typically single-ended output
    - very-low output impedance (i.e. good voltage source)
  - ... an important building block of analog electronics

$$U_{out} = G \cdot (U_{Ep} - U_{Em})$$

with :  $G \approx 10^5 \dots 2 \cdot 10^6$

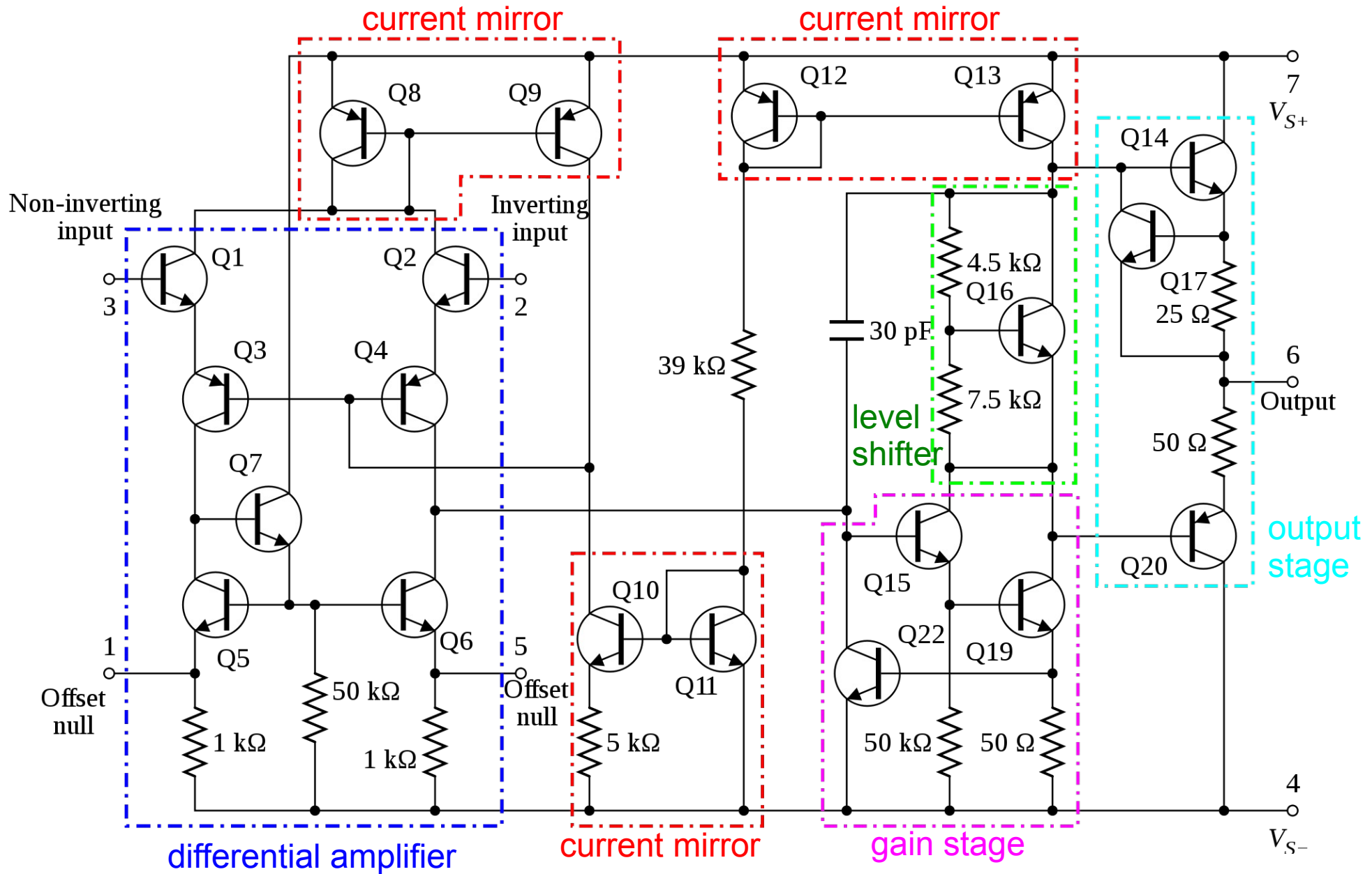


# OpAmp – Simplified Internals





# Classic 741 OpAmp Topology



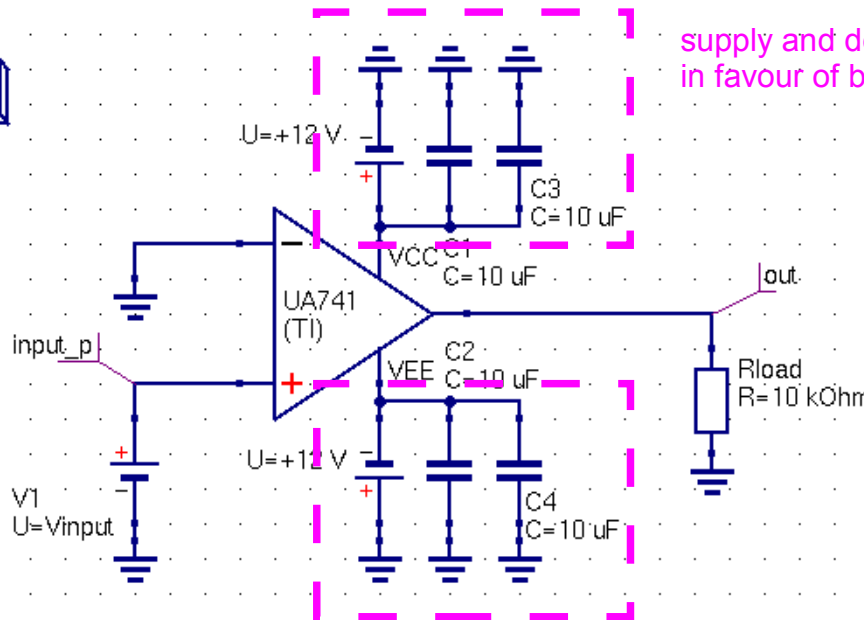
# OpAmp Open-Loop Gain

dc simulation

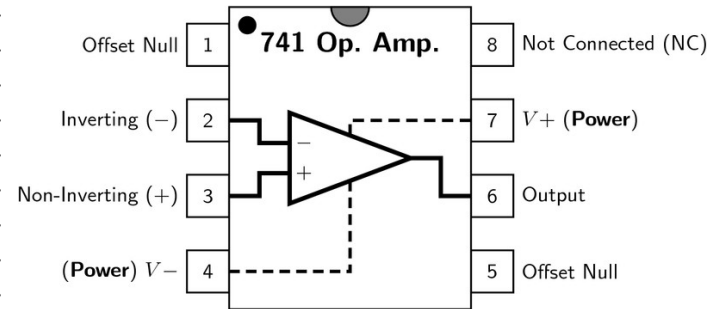
DC1

Parameter sweep

SW1  
 Sim=DC1  
 Type=lin  
 Param=Vinput  
 Start=-1 mV  
 Stop=+1 mV  
 Points=2001

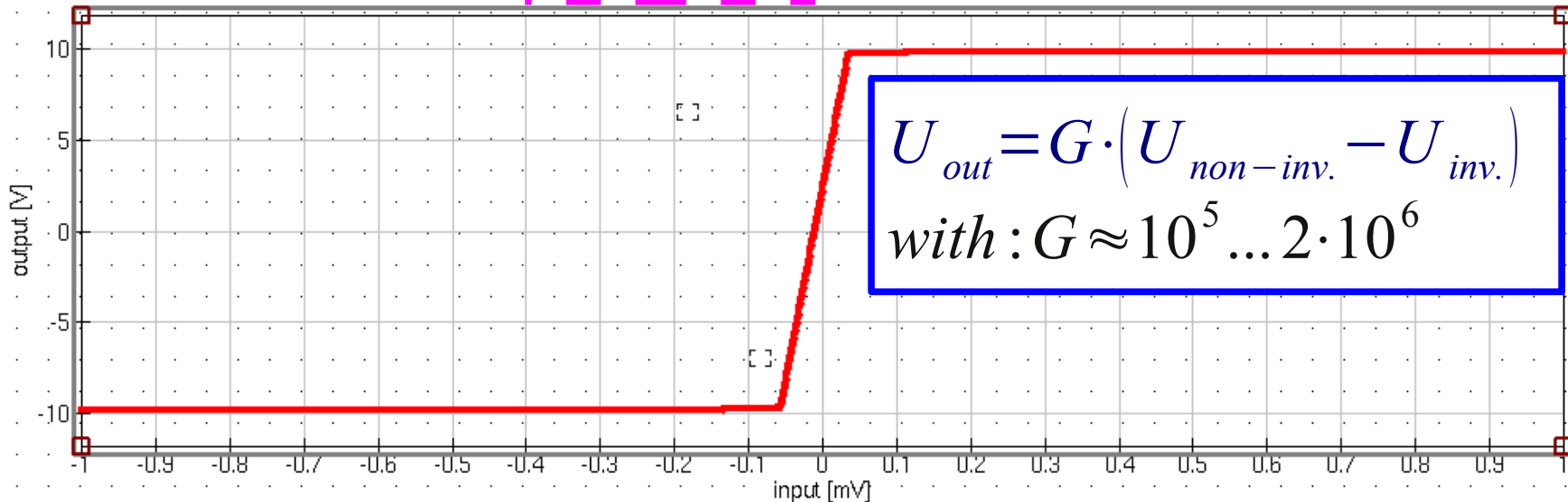


supply and de-coupling often omitted in favour of better schematics readability



Equation

Eqn1  
 output=PlotVs(out.V,input)  
 input=1000\*Vinput



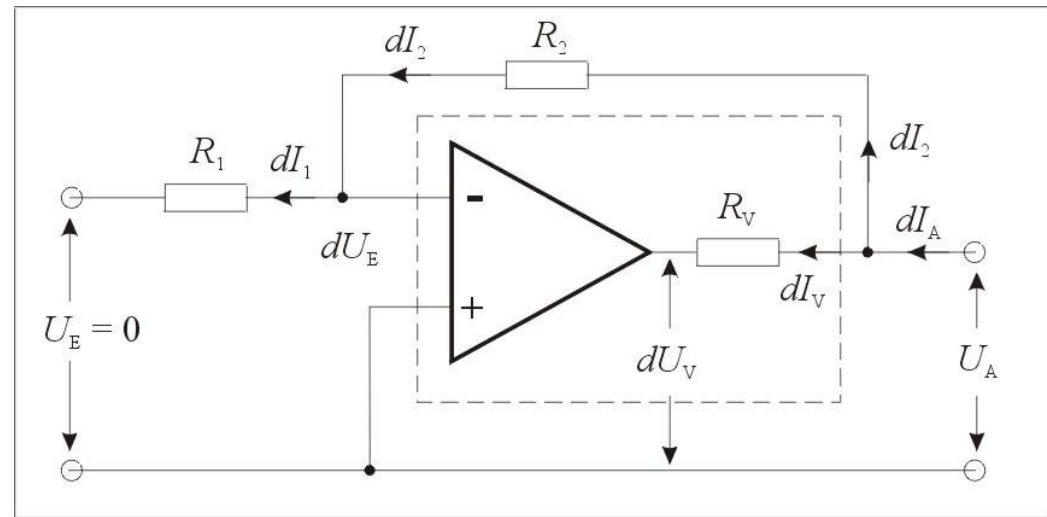
- large open-loop gains facilitates feedback loops

# Inverting Amplifier

- Using KCL:

$$I_1 = I_2 + I_E$$

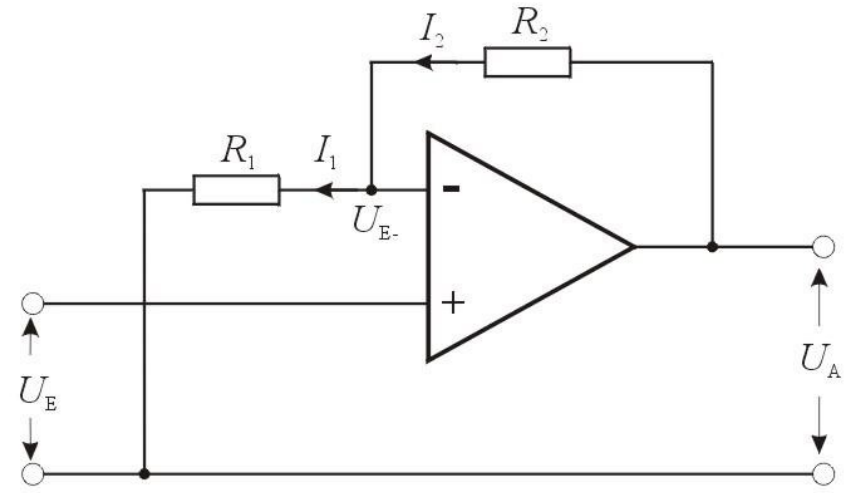
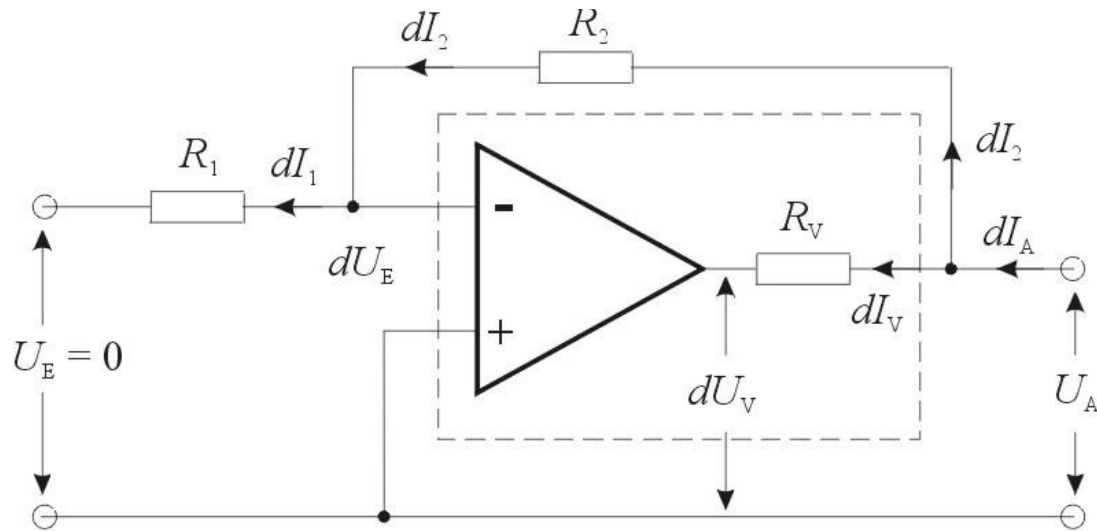
- Simple derivation...



For  $v \gg 1$

$$U_A = -\frac{R_2}{R_1} U_E$$

# Common OpAmp Circuits I/II



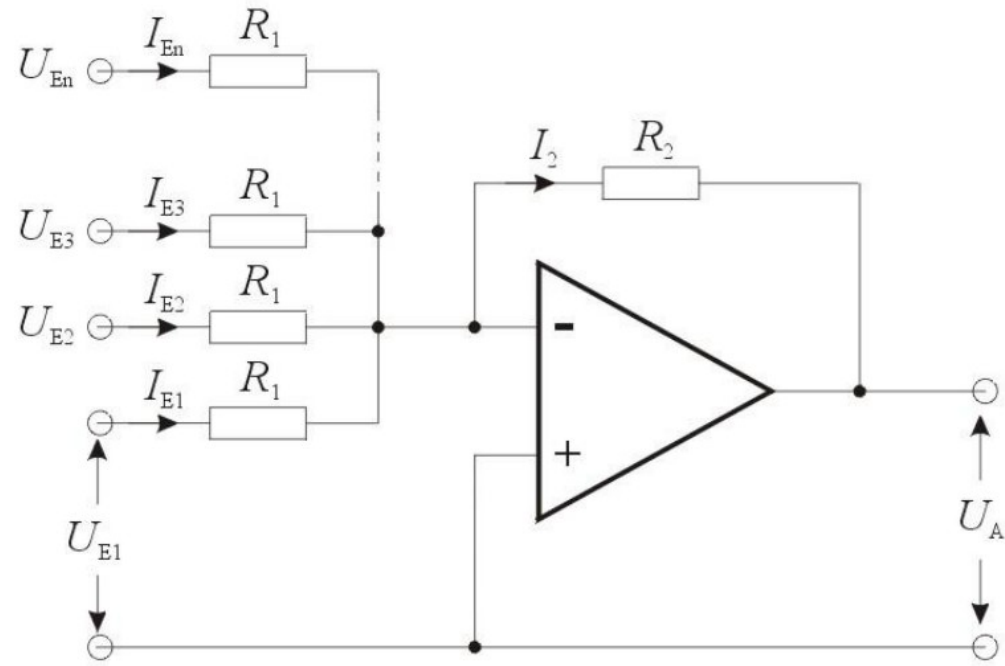
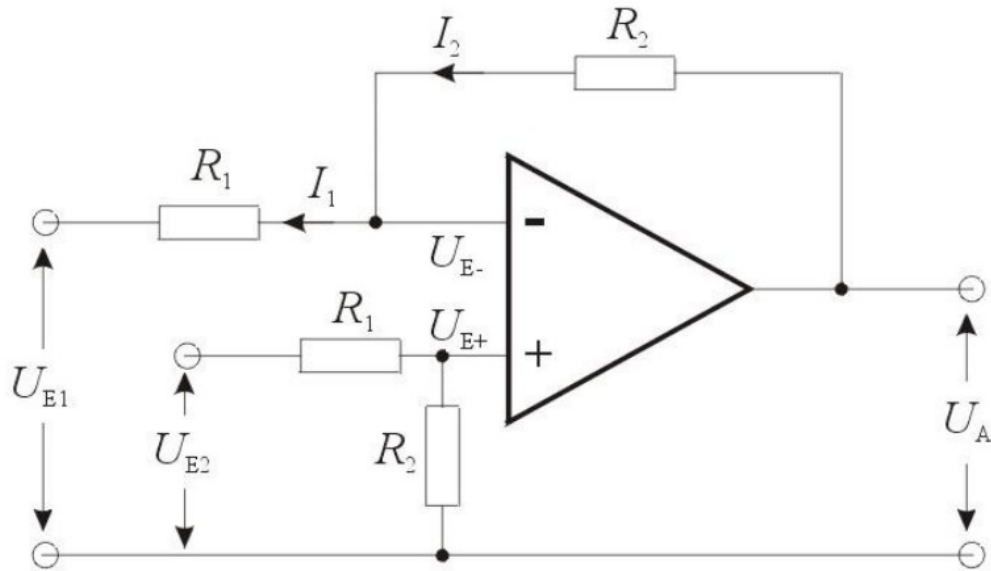
For  $v \gg 1$

$$U_A = -\frac{R_2}{R_1} U_E$$

$$U_A = \frac{R_1 + R_2}{R_1} U_E$$

[http://en.wikipedia.org/wiki/Operational\\_amplifier\\_applications](http://en.wikipedia.org/wiki/Operational_amplifier_applications)  
<http://www.ti.com/ww/en/bobpease/assets/AN-31.pdf>

# Common OpAmp Circuits II/II

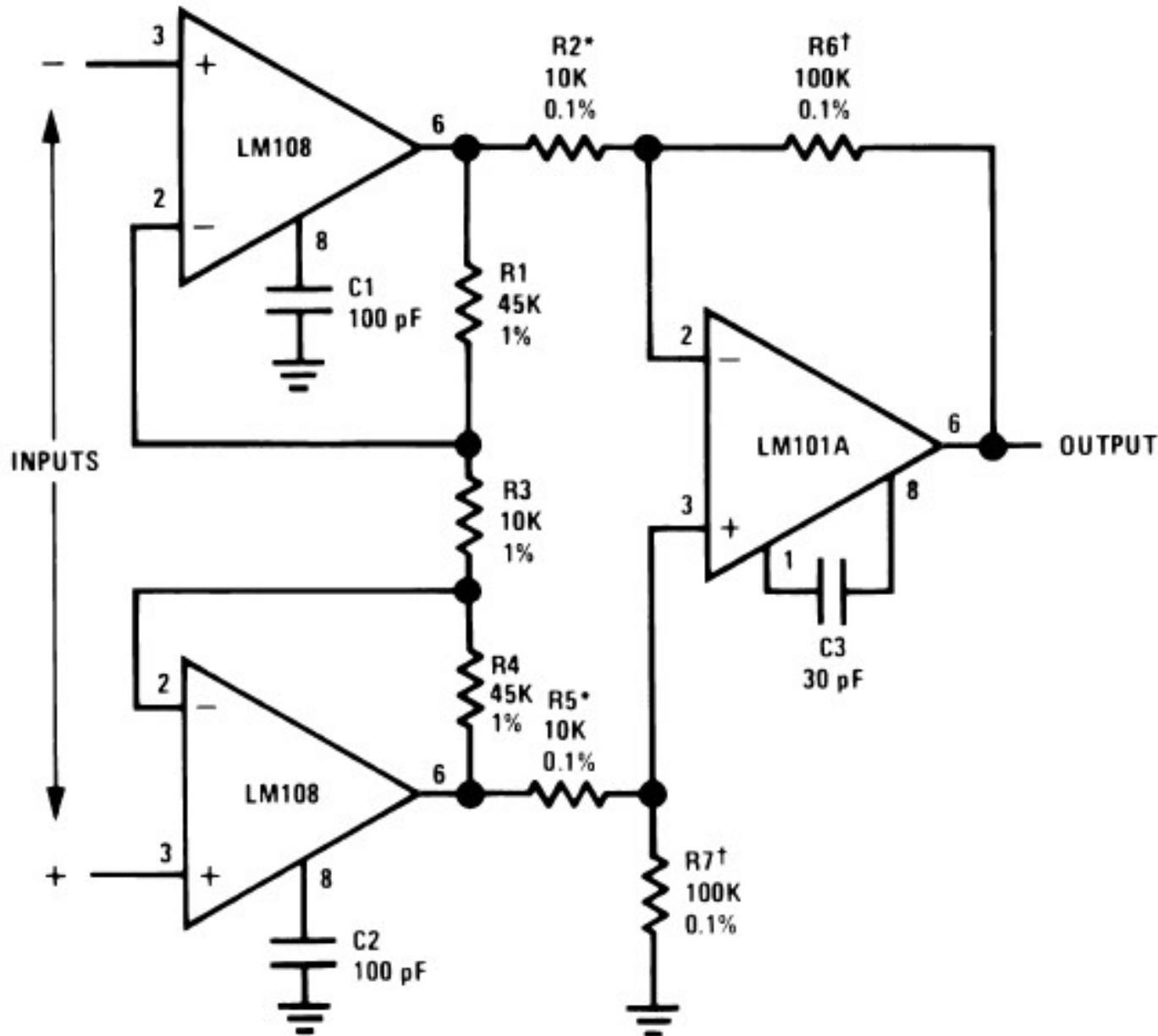


$$U_A = \frac{R_2}{R_1} (U_{E2} - U_{E1})$$

$$U_A = -\frac{R_2}{R_1} \sum_{i=1}^n U_{Ei}$$

[http://en.wikipedia.org/wiki/Operational\\_amplifier\\_applications](http://en.wikipedia.org/wiki/Operational_amplifier_applications)  
<http://www.ti.com/ww/en/bobpease/assets/AN-31.pdf>

# Instrumentation Amplifier



$$R1 = R4$$

$$R2 = R5$$

$$R6 = R7$$

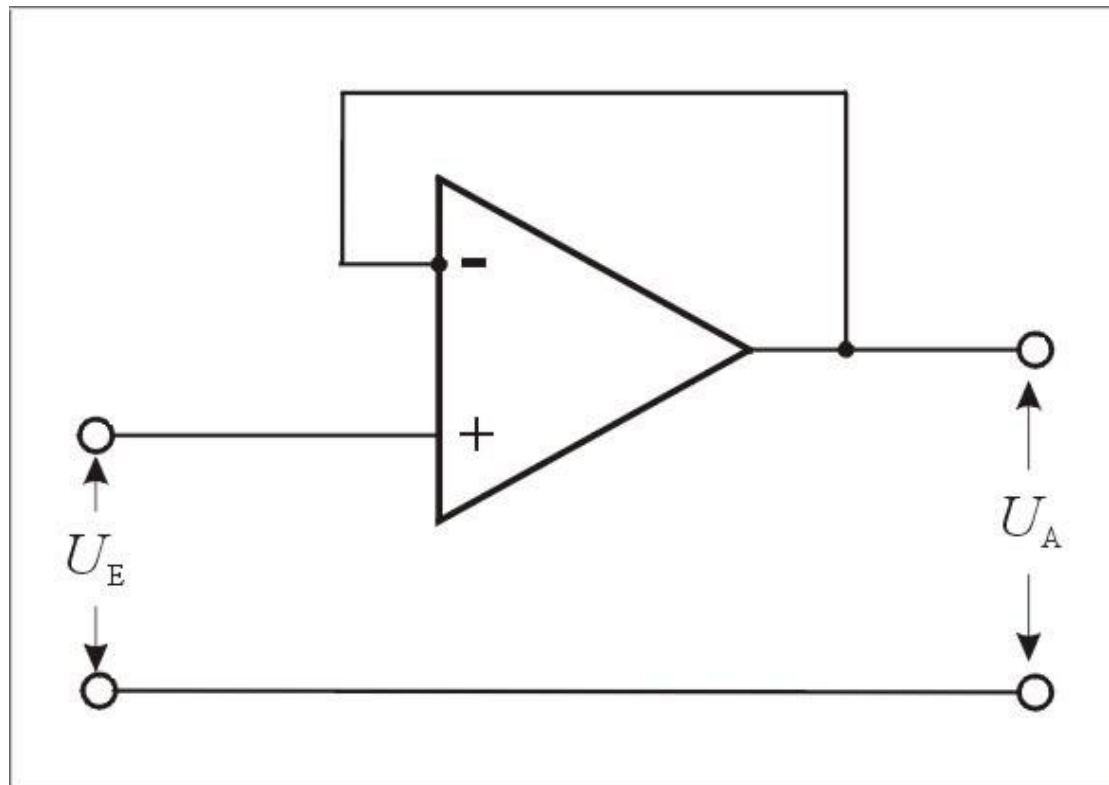
†\*Matching Determines CMRR

$$A_V = \frac{R6}{R2} \left( 1 + \frac{2R1}{R3} \right)$$

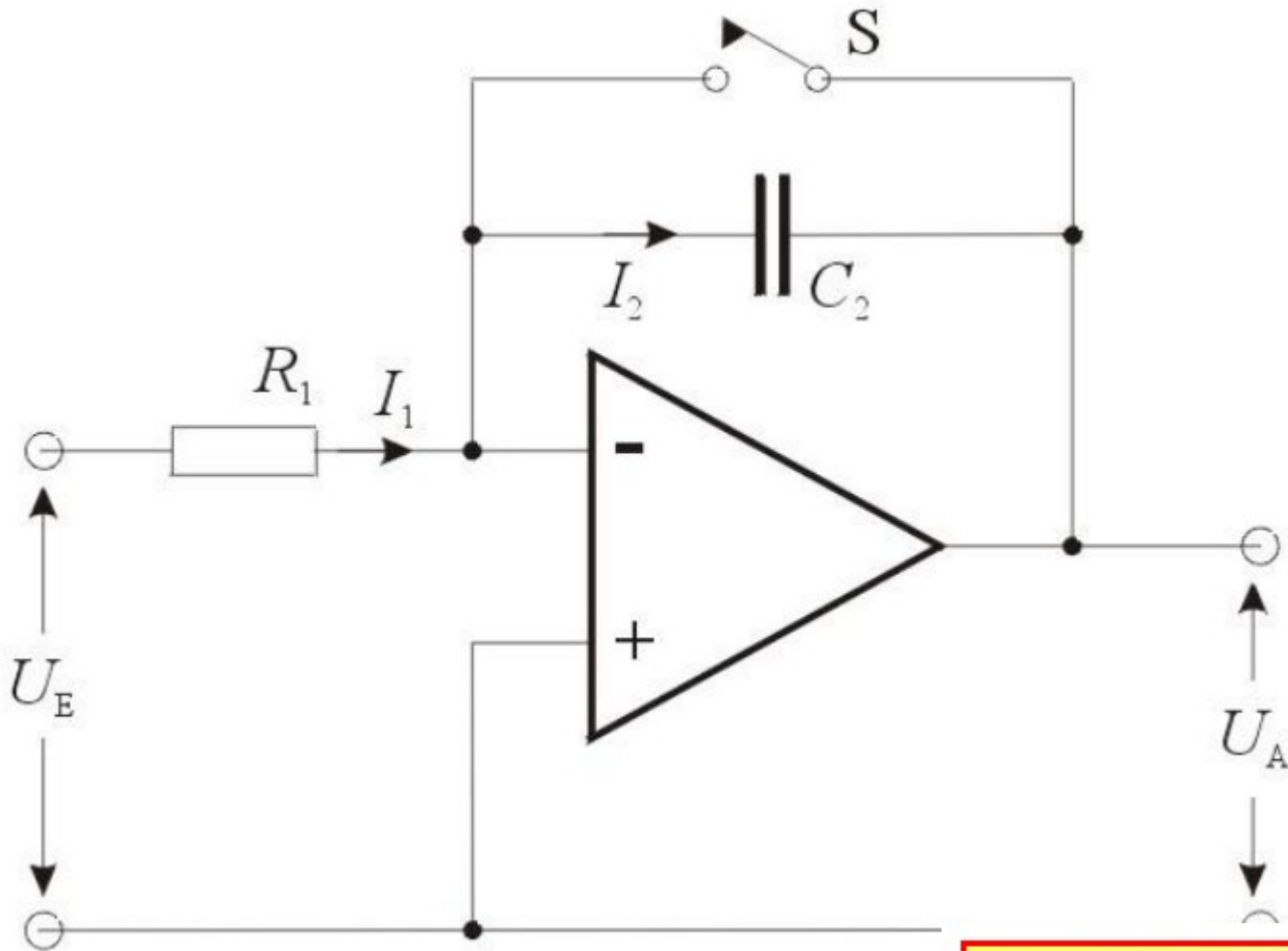
00705745

# Special Case: Voltage Follower

- Buffer: decouples input from output
  - e.g. high-impedance input
  - “drive” low-impedance loads (ie. provide large currents)



# Special Case: Integrator

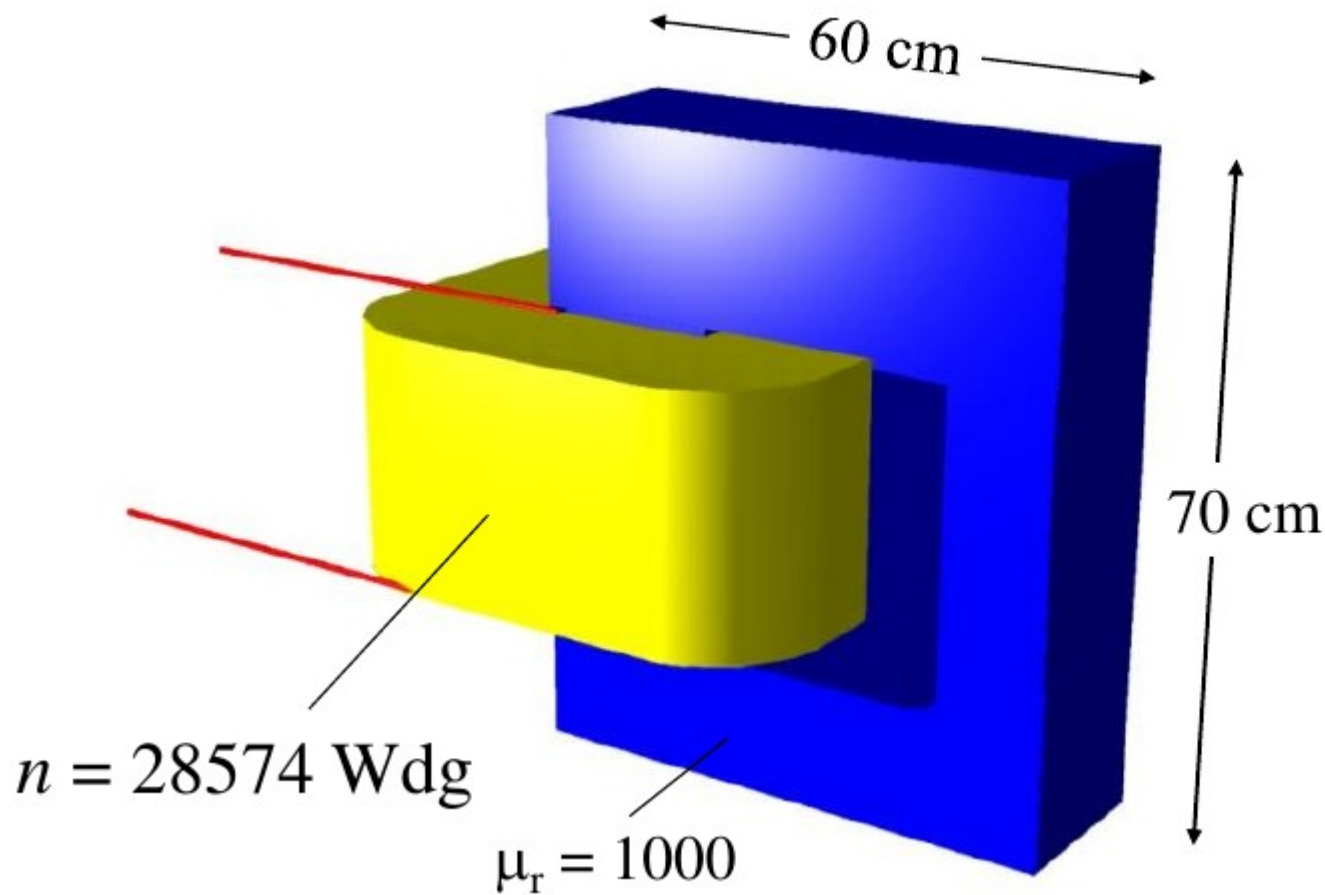


$$U_A(t) = \frac{1}{R_1 C_2} \int_0^t U_E(\tau) d\tau + U_0$$



# Inductances for very low-Frequencies

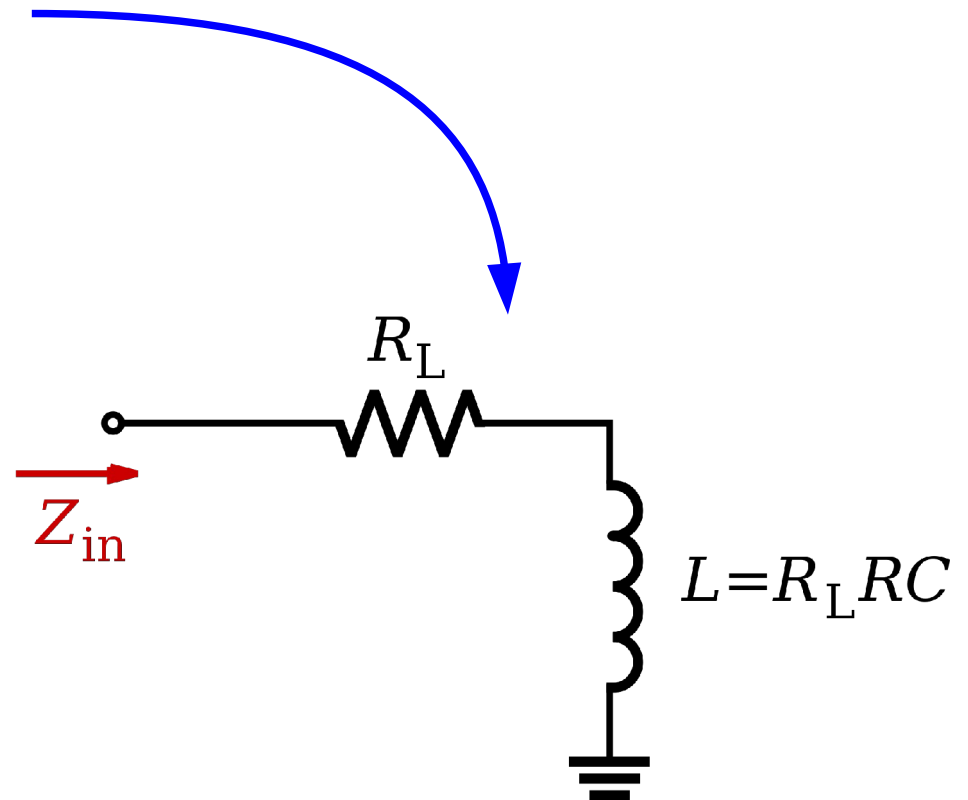
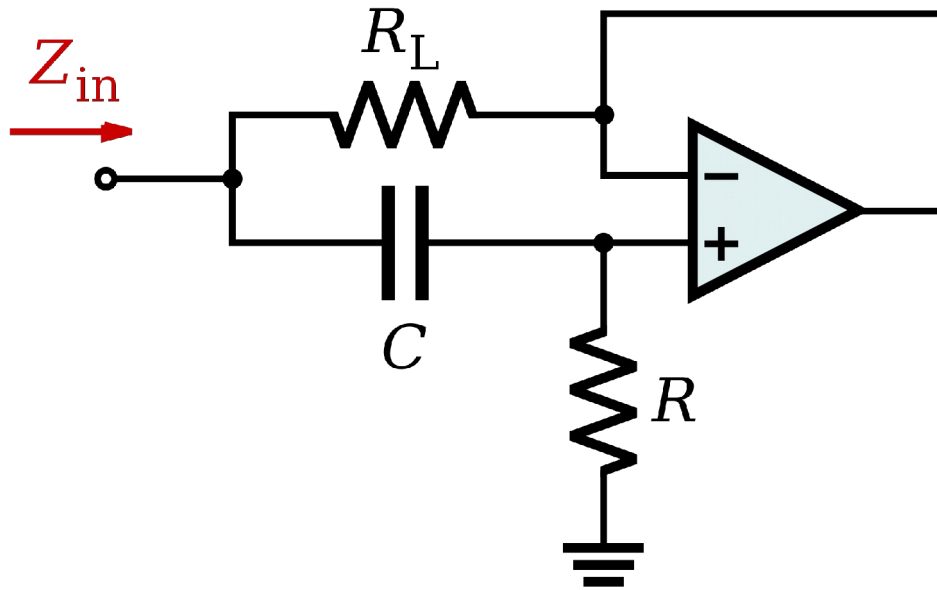
- If you'd need a RLC circuit with e.g.  $f_0 = 1/3$  Hz and  $C_2 = 10 \mu\text{F}$   
→ you'd need an inductance of:



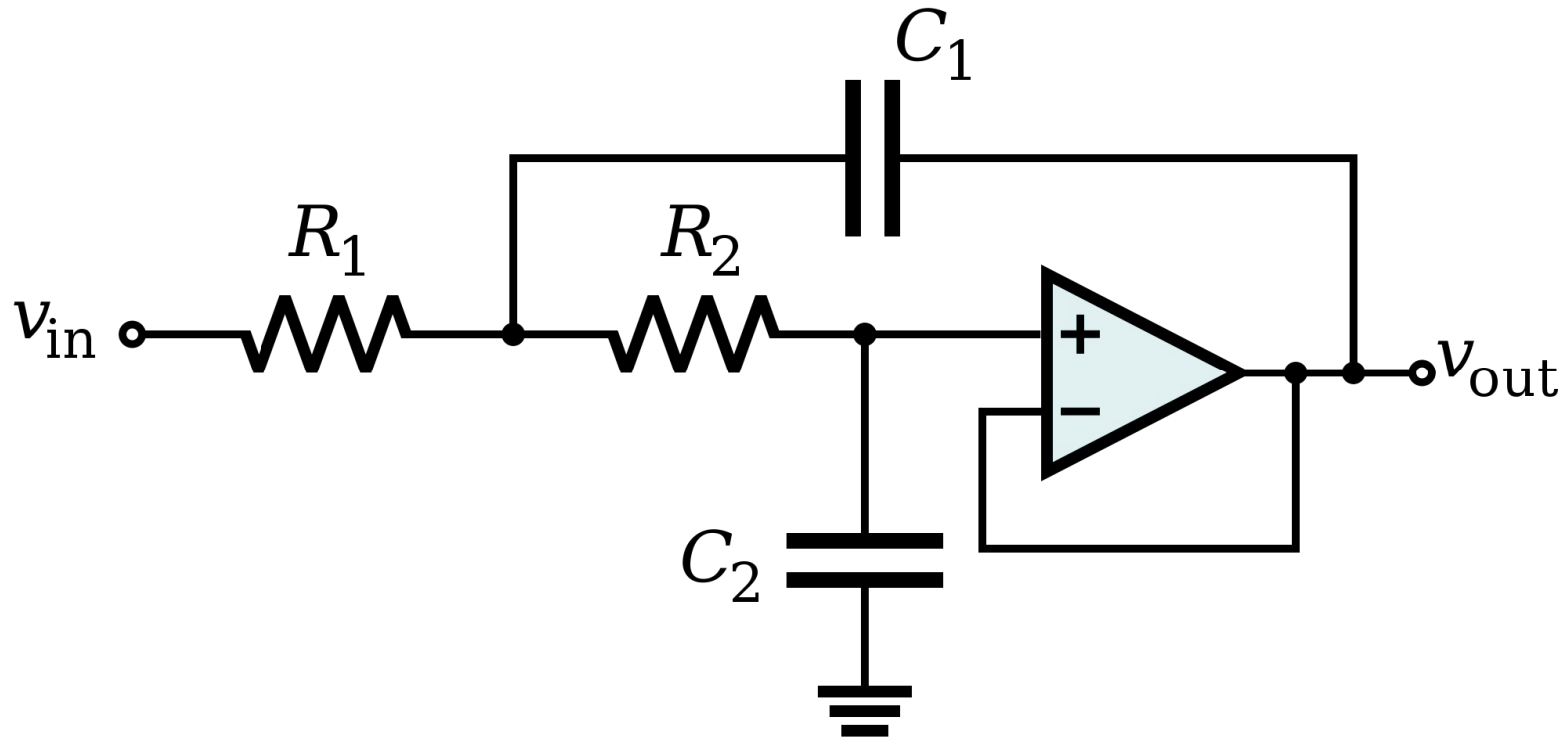
$$\begin{aligned} L &= \frac{1}{\omega_0^2 C_2} \\ &= \frac{1}{(2\pi)^2 f_0^2 C_2} \\ &= 22800 \text{ H (!)} \end{aligned}$$

# Large Inductances

- Good news: can be simulate using OpAmps (aka. Gytrators)



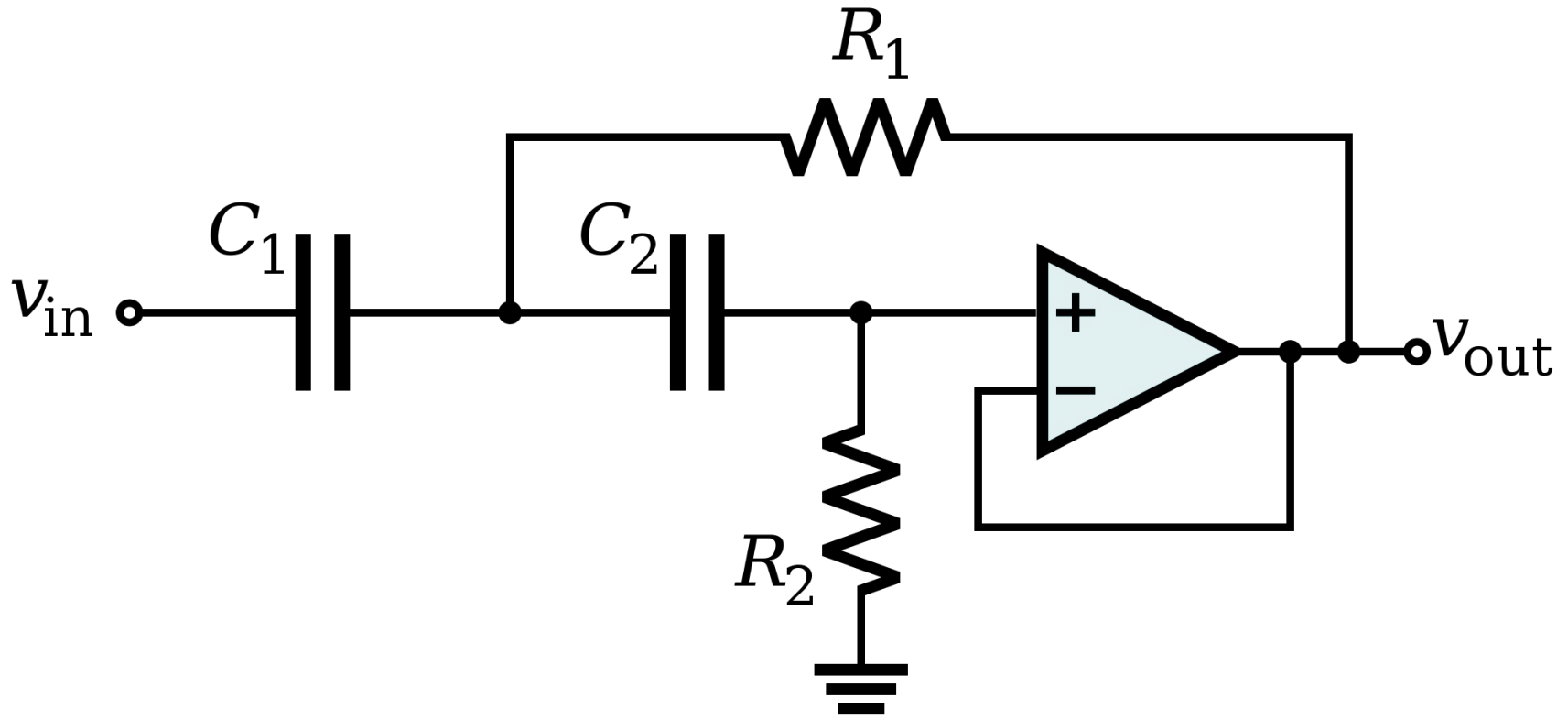
# Active Low-Pass Filter (Butterworth)



$$f_{BW} = \frac{1}{2\pi RC}$$

*assuming :  $C = C1 = C2 \wedge R = R1 = R2$*

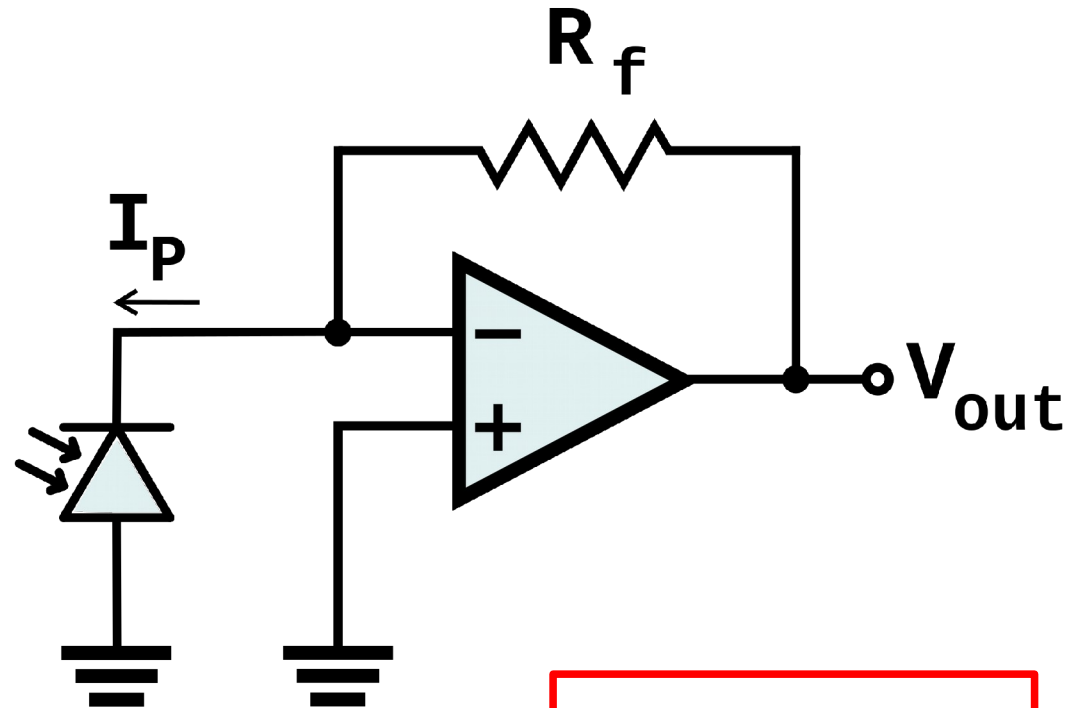
# Active High-Pass Filter (Butterworth)



$$f_{BW} = \frac{1}{2\pi RC}$$

*assuming :  $C = C_1 = C_2 \wedge R = R_1 = R_2$*

# Transimpedance Amplifier



$$V_{out} = R_f \cdot I_P$$

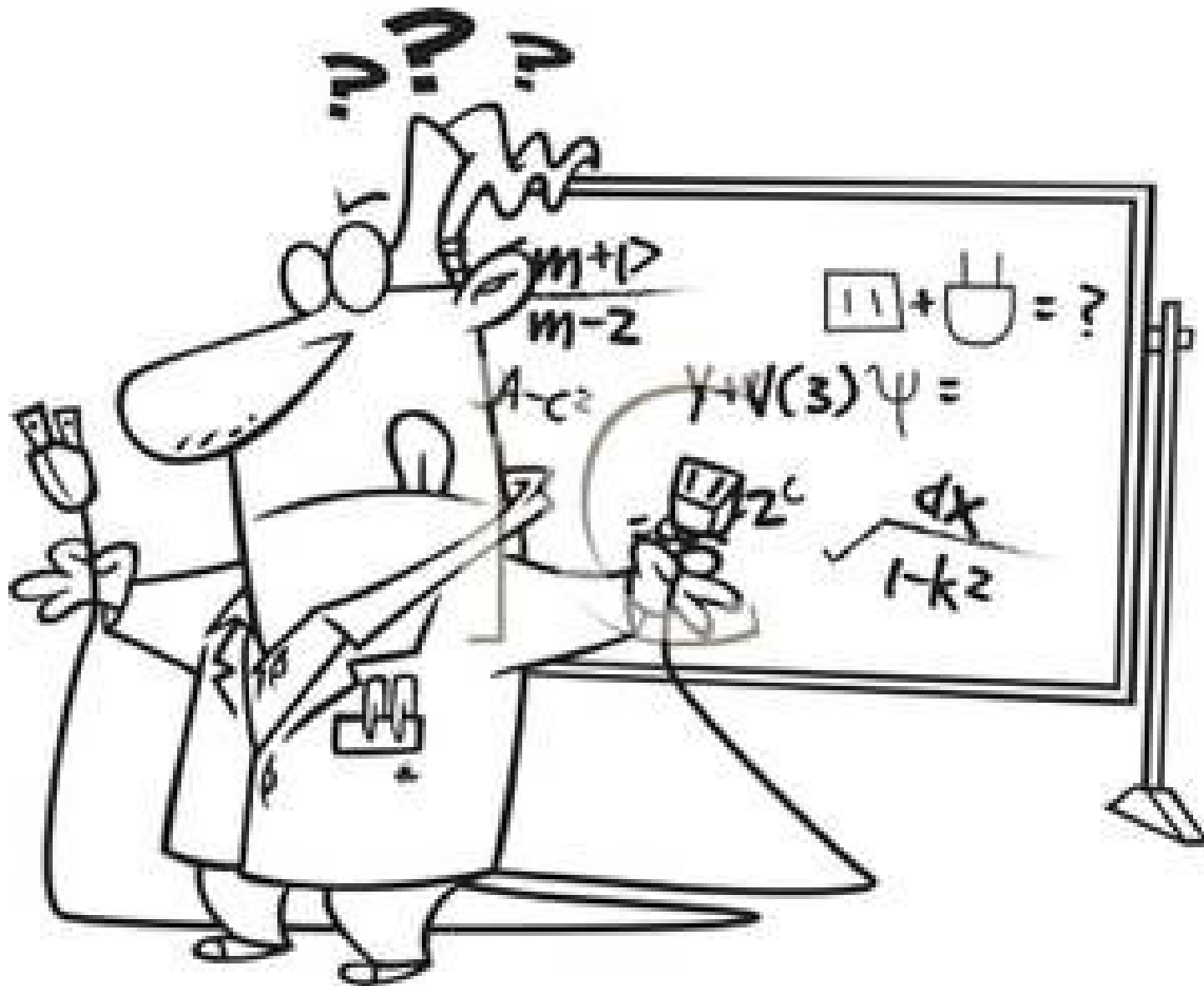
$$f_{BW} = \sqrt{\frac{GBW}{2\pi R_f C_d}}$$

# Transimpedance Amplifier with Noise

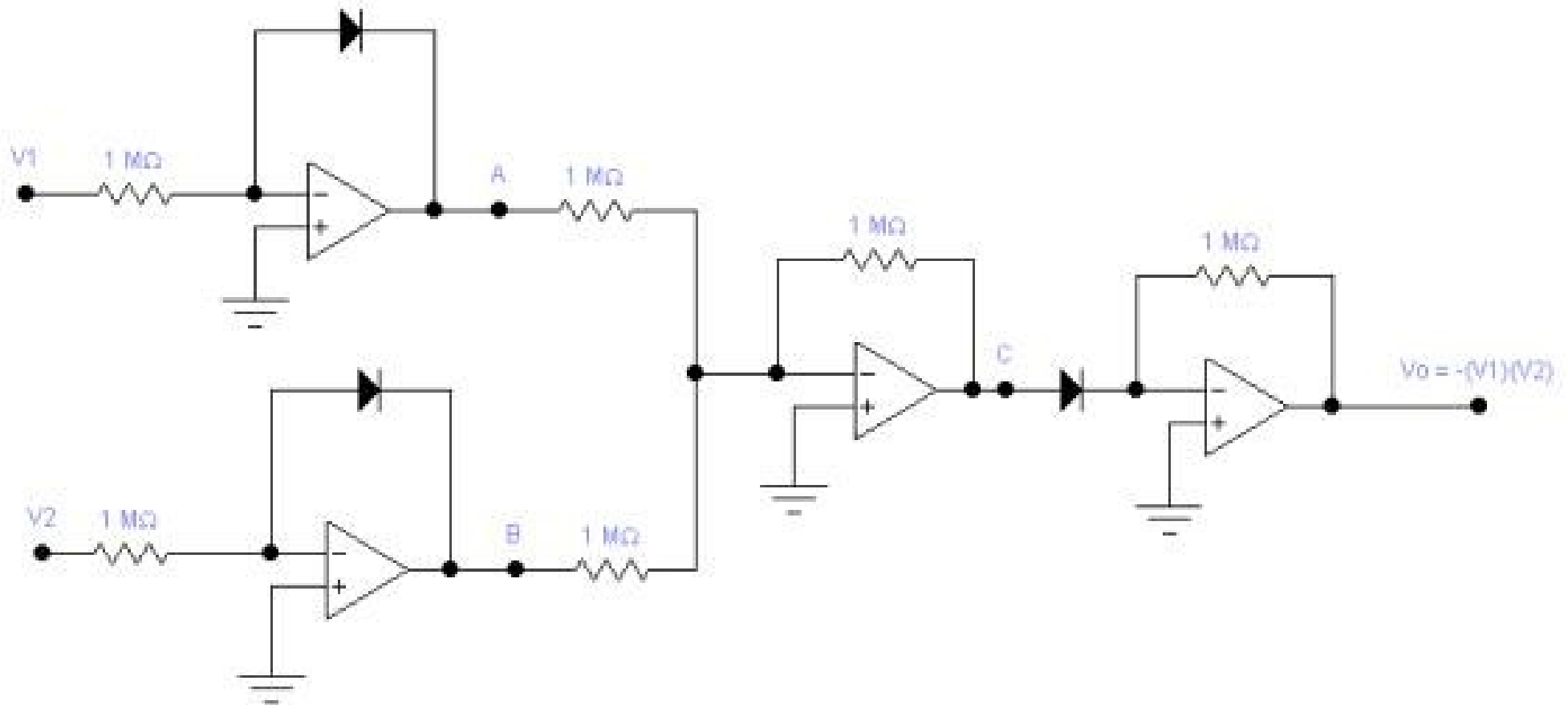
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- TIA with noise sources and imperfections
- Comparison between photodetector receiver using simple R (RC low-pass limit) vs. TIA

# Questions?



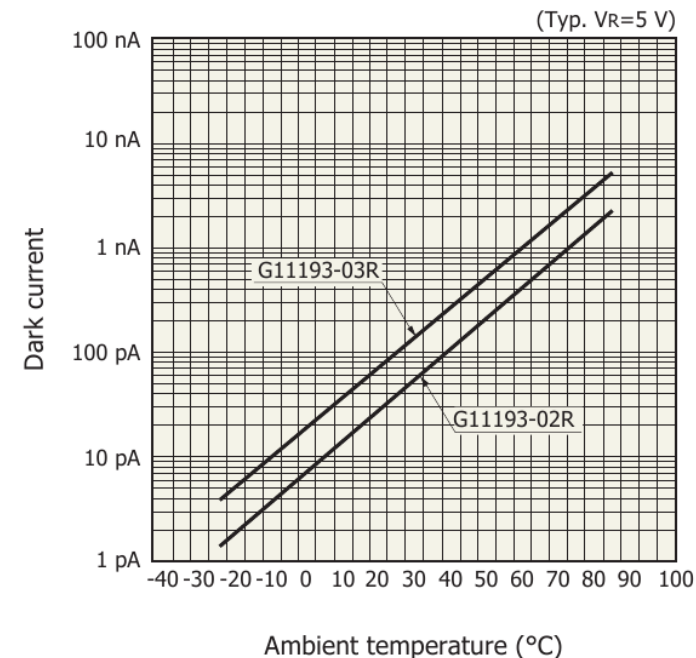
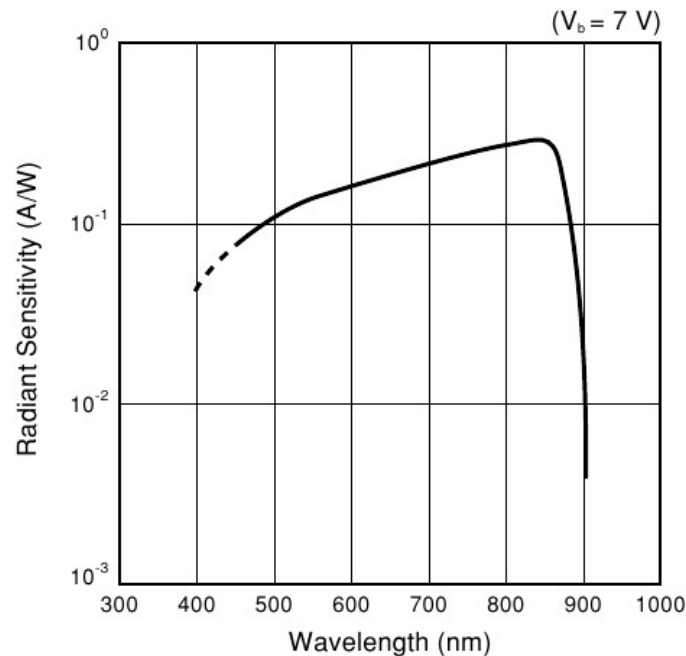
# What does this Circuit do?





# Metal-Semiconductor-Metal (MSM) Photodetector

- Hamamatsu's G4176-03
  - $t_r \approx 30 \text{ ps}$   $\leftrightarrow$  nom. 50% atten. @12GHz
  - 0.3 pF for active area of  $0.2 \times 0.2 \text{ mm}^2$
  - typ. light input power  $\sim 5\text{-}10 \text{ mW}$  (50% duty-cycle)
  - dark-current:  $100 \text{ pA}$  @23°C
  - max. est. S/N:  $\sim 150 \text{ dB}$  (w/o cooling)



# Diode Types II/II

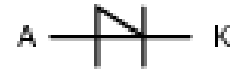
Generic



Schottky



Shockley



Constant current



Zener



Light-emitting



Photo-



Step recovery



Tunnel



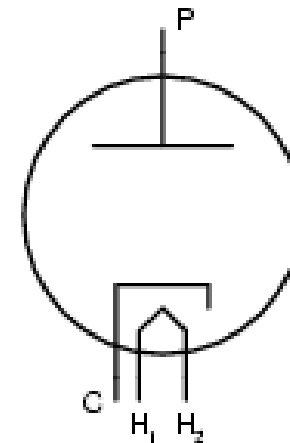
Varactor



PIN



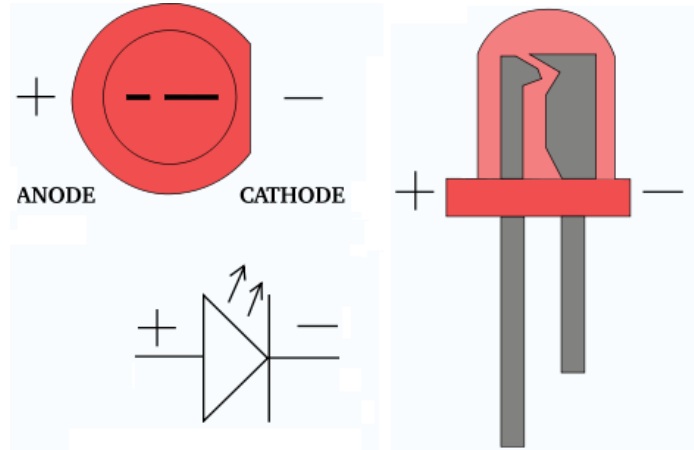
Vacuum tube



A = Anode

K = Cathode

# Diode – Polarity



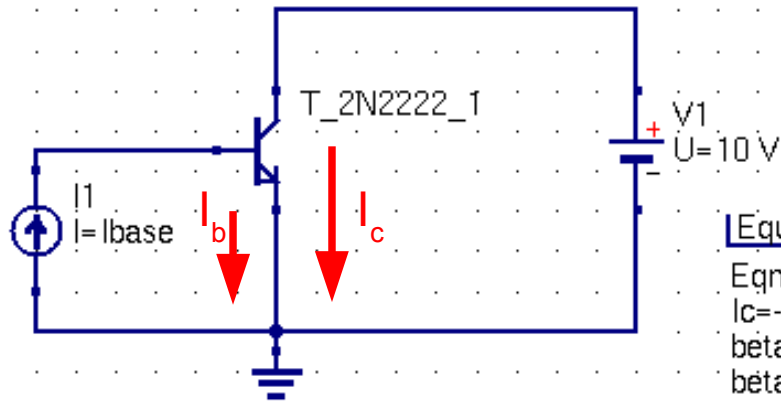
# Transistor – Example I/II

dc simulation

DC1

Parameter sweep

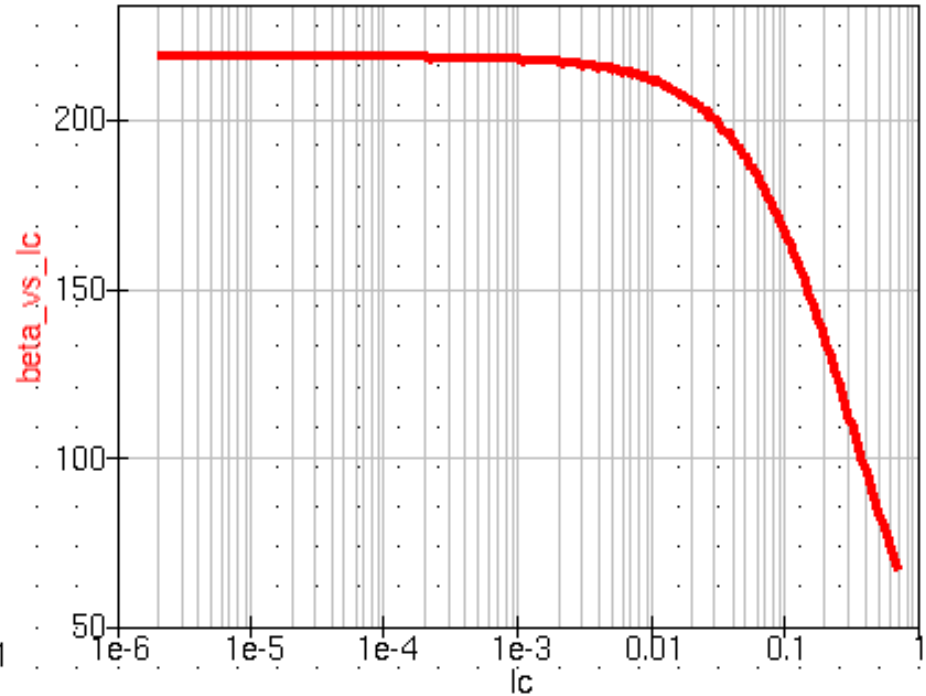
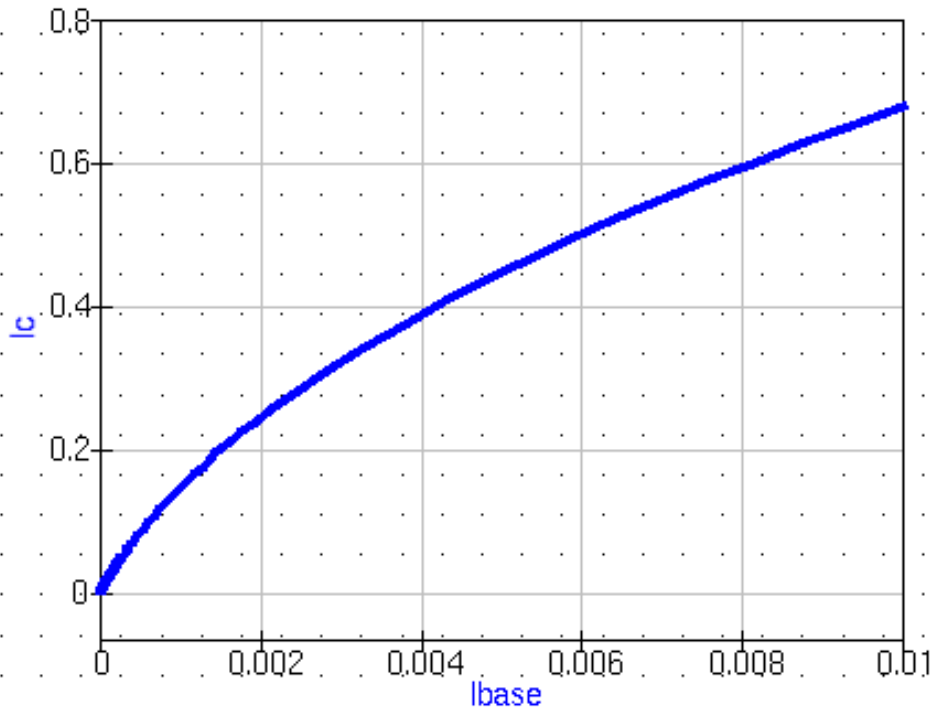
SW1  
Sim=DC1  
Type=log  
Param=lbase  
Start=10 nA  
Stop=+10 mA  
Points=200



Equation

Eqn1  
 $I_c = -V1.I$   
 $\beta = I_c / I_{base}$   
 $\beta\_vs\_Ic = PlotVs(\beta, I_c)$

$$I_C = \beta \cdot I_b$$
$$\beta \approx 100$$



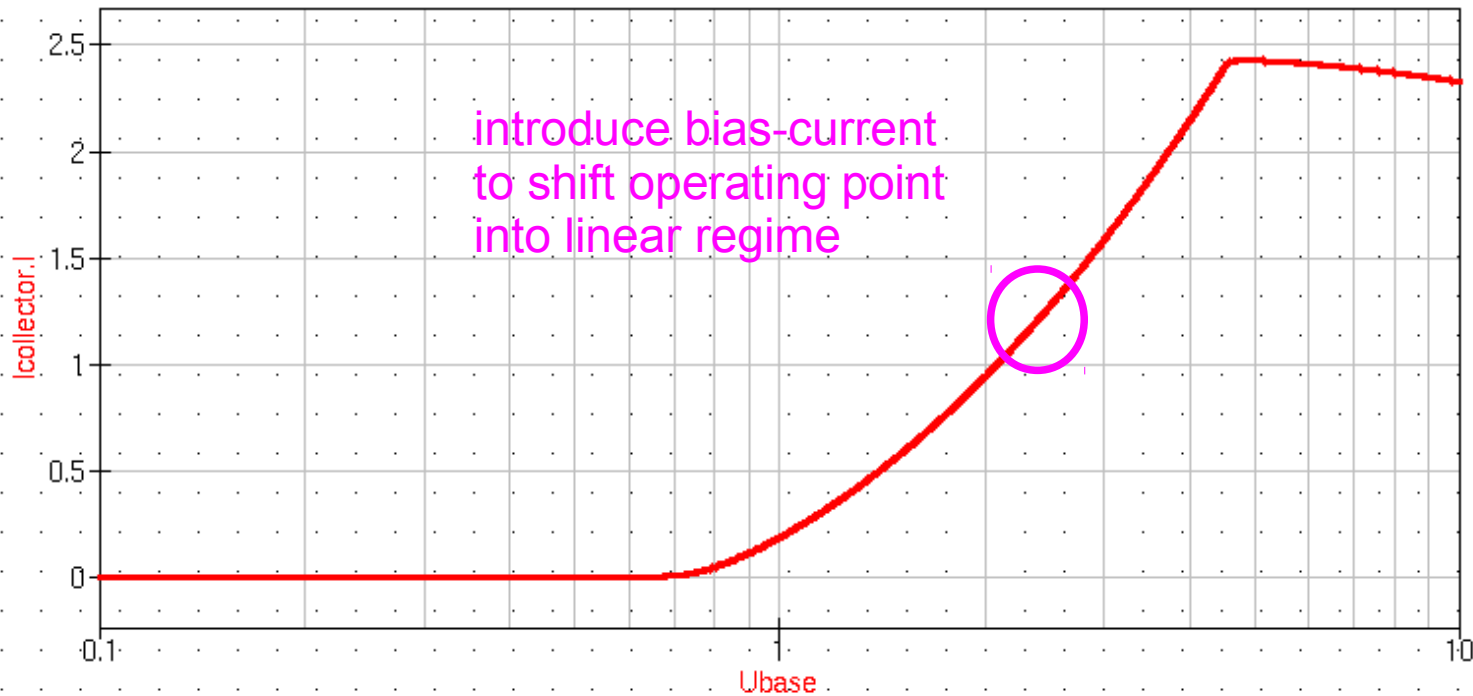
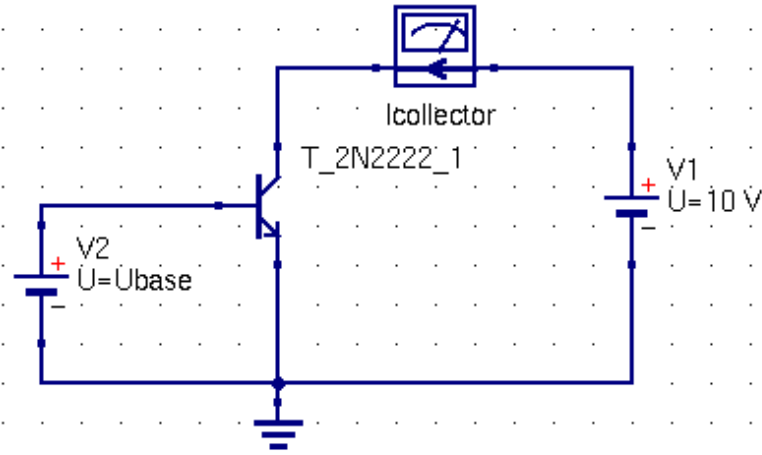
# Transistor – Example II/II

dc simulation

DC1

Parameter sweep

SW1  
Sim=DC1  
Type=log  
Param=Ubase  
Start=0.1 V  
Stop=+10 V  
Points=2001



# FET III/III

## dc simulation

DC1

### Parameter sweep

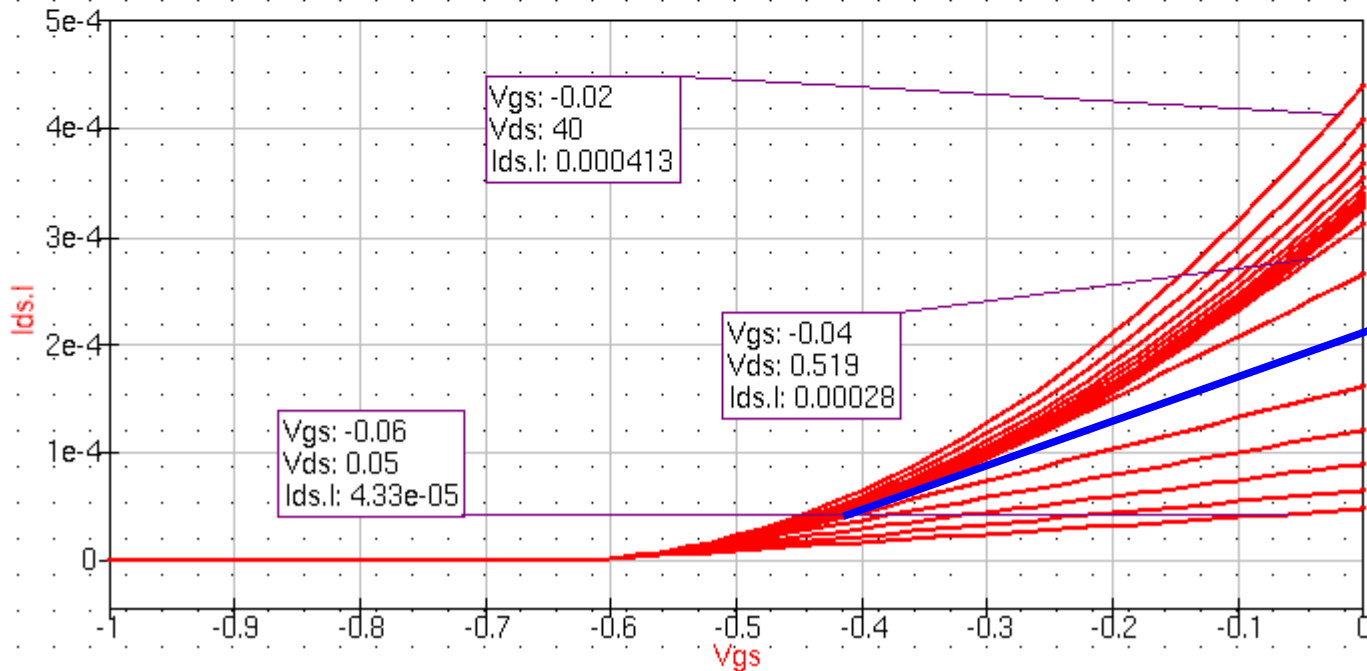
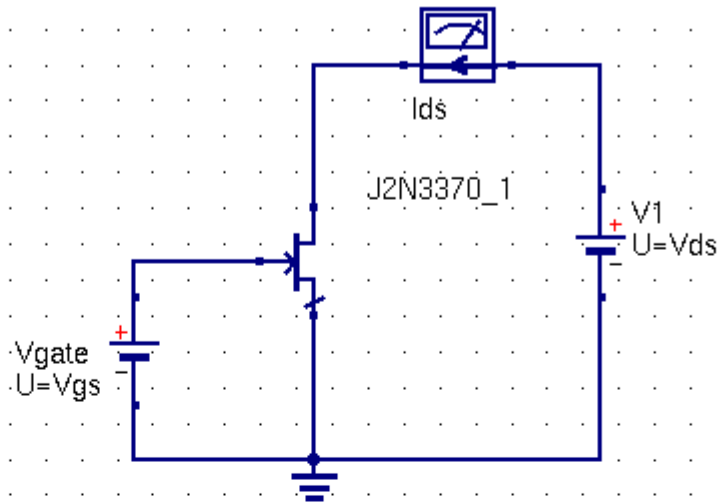
SW1  
Sim=DC1  
Type=lin  
Param= $V_{gs}$   
Start=0V  
Stop=-1.0 V  
Points=51

### Parameter sweep

SW2  
Sim=SW1  
Type=log  
Param= $V_{ds}$   
Start=0.05 V  
Stop=40 V  
Points=21

### Equation

Eqn1  
 $I_{ds} = \text{PlotVs}(I_{ds}, V_{ds}, V_{gs})$



quadratic regime

linear regime