

Accelerator Lattice Design – Part II Insertions

– Laboratory Exercise – Ralph J. Steinhagen, CERN

HERMAN[®]

by Jim Unger

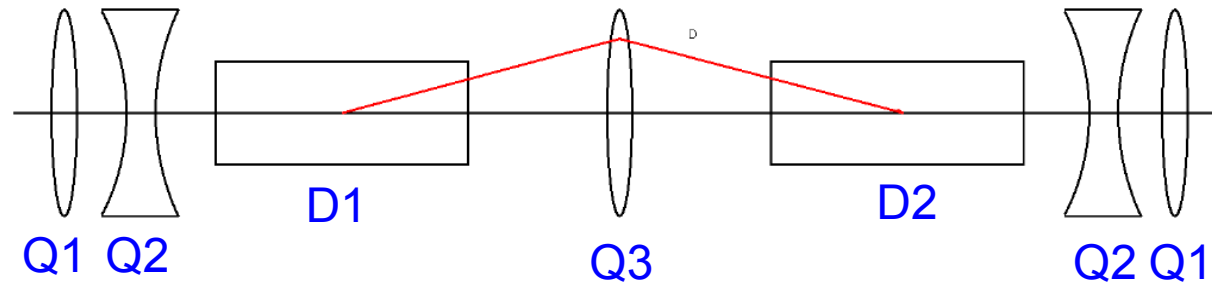


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“I think my test results are a pretty good indication of your abilities as a teacher.”

- Acknowledgements and credits to: W. Herr, B. Holzer, A. Streun, A. Wolski

Exercise I – 1/2

- Design a Chasman-Green Double-Bend-Achromat



- Start with the doublet Q1+Q2, use the same constraints as during the day before.
 - Assume a fixed cell length of $\sim 10\text{-}30\text{m}$
 \rightarrow get a reasonable optics with $100\text{ m} > \beta_x > \beta_y$ at the beginning and end of the cell
 - Once you are happy insert the Q3 and D2 at the centre of the doublets
- The dipole D1 generates dispersion wave which is closed by dipole D2, which is 180° apart \rightarrow phase advance condition is steered with Q3 and distance between D1 & D2 (hint: $M_{180^\circ\text{-cell}} = M_{\text{Drift}} \cdot M_{Q3} \cdot M_{\text{Drift}}$).
 - Q1,Q2 are used to make β_x in D1 & D2 small
- Leave some space ($\sim 5\text{ m}$) left and right of the Q1s to allow some space for undulators, RF cavities, or instrumentation.

Exercise I – 2/2

- Design tips:
 - there is only a narrow range of $kQ1$, $kQ2$, and $Q3$ for which the DBA converges \leftrightarrow many local optima \rightarrow need to guide MAD-X before you can do the regular cell matching (i.e. start with the linear approximations)
 - The first step is thus very much iterative and it's (strongly) recommended that you first match the cell as a transmission line with fixed initial conditions
 - i.e. β_x, β_y being constant & $\alpha_{x/y}, \mu_{x/y}, D_{x/y}$ and $D'_{x/y}$ being zero. Use the following line to compute the 'Twiss' call: `twiss, file=test_output.twiss, betx=<your value>, alfx=0, mux=0, bety=<your value>, alfy=0, muy=0, DX=0, DY=0, DPX=0, DPY=0, deltap=0.0, X=0, Y=0, PX=0, PY=0;`
 - Vary $Q3$, check that you reached the dispersion cancelling condition via:
 - `value, table(twiss,MB2,mux)-table(twiss,MB1,mux);`
 - Should be equal/very close to '0.5' (ie. phase advances given in units of 2π)
 - Once you are happy with the symmetry of the initial conditions try to match the dispersion suppression and exact beta-function with the cell-matching, i.e use
 - `match,sequence=DBACell, betx=<your value>, alfx=0, mux=0, bety=<your value>, alfy=0, muy=0; // [..]`
 - and then simply: `Twiss; match, sequence=DBACell;`
 - Check how your $Q3$ value compare with the theoretic linear approximation
 - **Enjoy!**

Exercise II – Dispersion Suppressor (DS)

- Aim: we need (at least) two regions with low dispersion in our existing FoDo lattice to accommodate our RF system and an experiment (e.g. undulator or high-energy physics interaction point).
- Insert two straight sections each consisting of at least cells (e.g. FoDo cells without bending magnets). Keep the same quadrupole focusing:
 - Insert the two straight sections opposite in azimuth in the ring. Plot the results.
- The dispersion shall be well below (< 1 m) along this straight section. Chose and implement one of the following options:
 - a) missing-dipole scheme (tip: for the simplest case you need to change $\Delta\mu_{\text{cell}} := 60^\circ$), or
 - b) changing the bending radius of some or all the bending magnets, or
 - c) Full Monty – independent quadrupole-based DS
 - At this stage do not change the focusing properties of the arc cells.

Exercise III

- Start from the previous lattice and design a symmetric insertion with a low- β section in a dispersion free region. The β should be small at least in one plane and should have a waist at an "interaction point".
- Two options:
 - Try to design the insertion yourself
 - Use an already prepared example sequence and try to match